



SCHOOL of ENGINEERING & APPLIED SCIENCE
UNIVERSITY of VIRGINIA

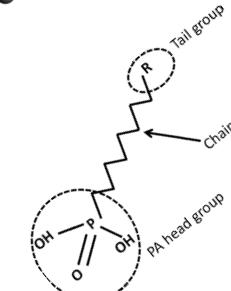
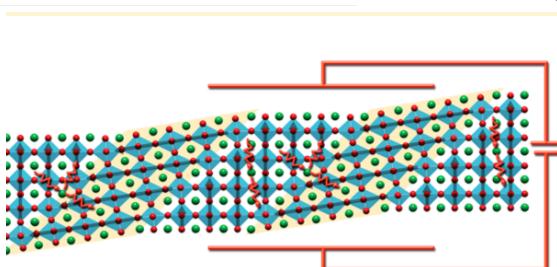
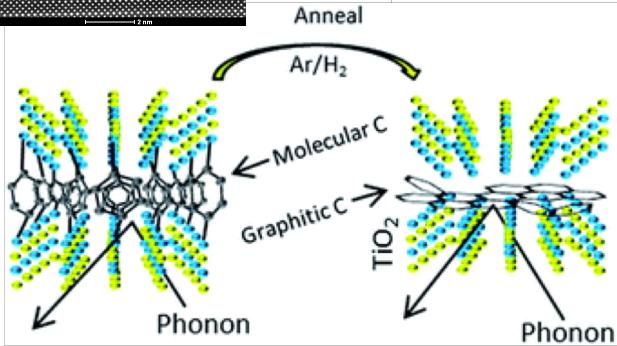
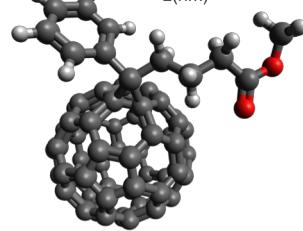
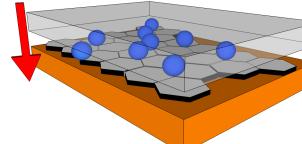
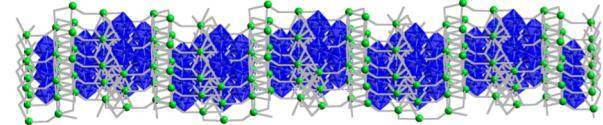
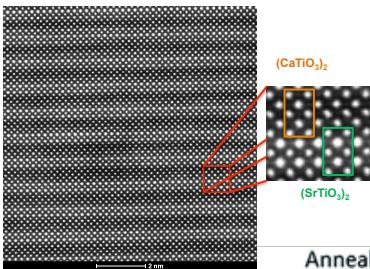
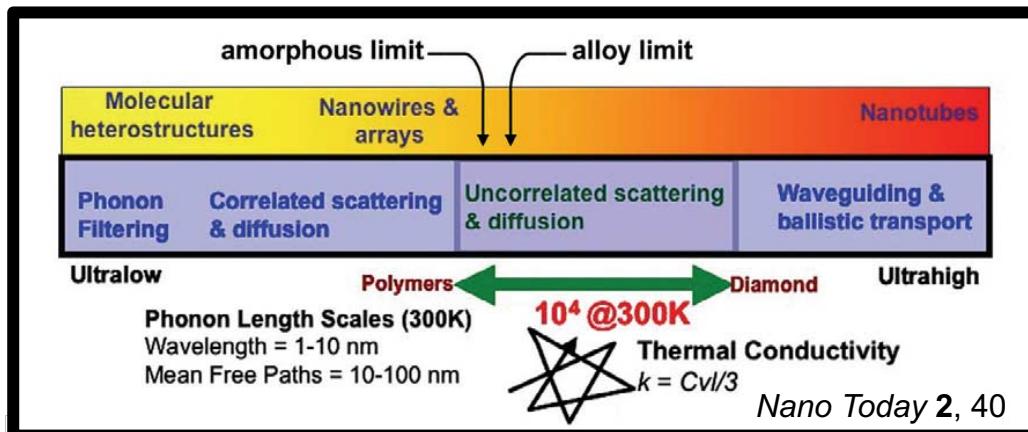
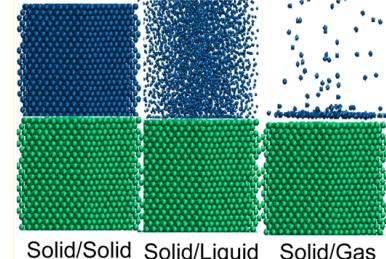
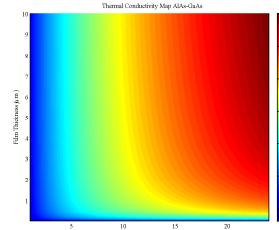
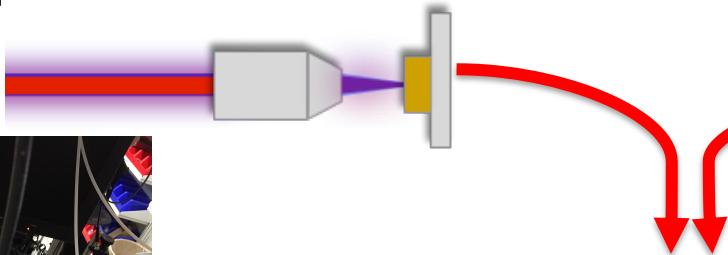
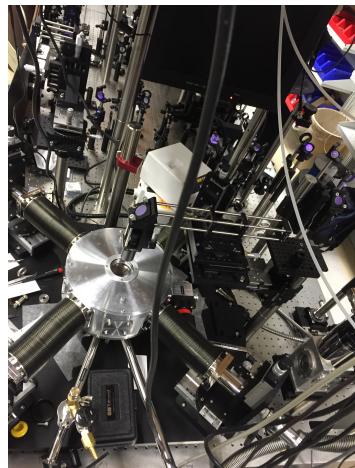
Actively and passively controlling the phonon thermal conductivity of materials



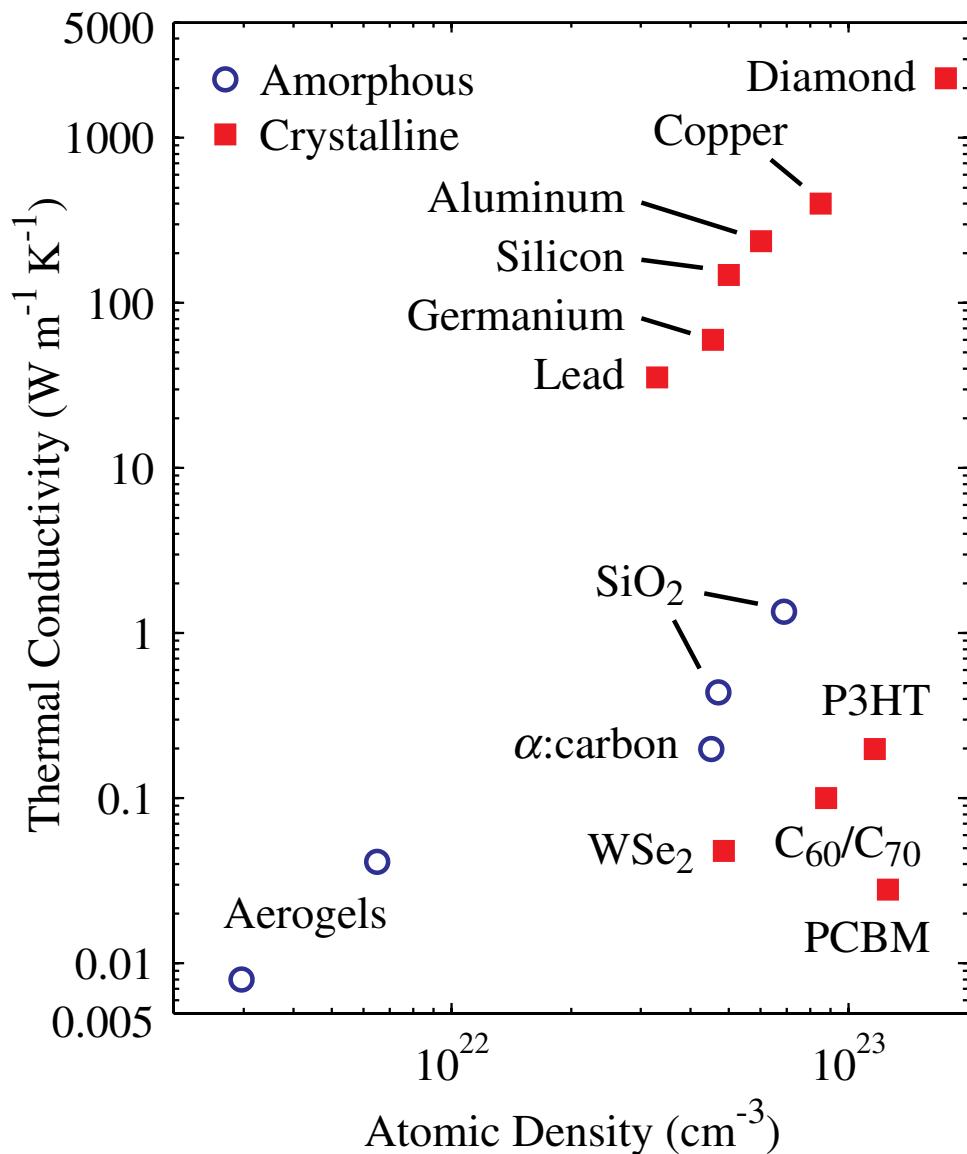
Patrick E. Hopkins
Professor
Dept. Mech. & Aero. Eng.
Dept. Mat. Sci. & Eng.
Dept. Physics
University of Virginia
phopkins@virginia.edu
patrickehopkins.com

My group – ExSiTE Lab

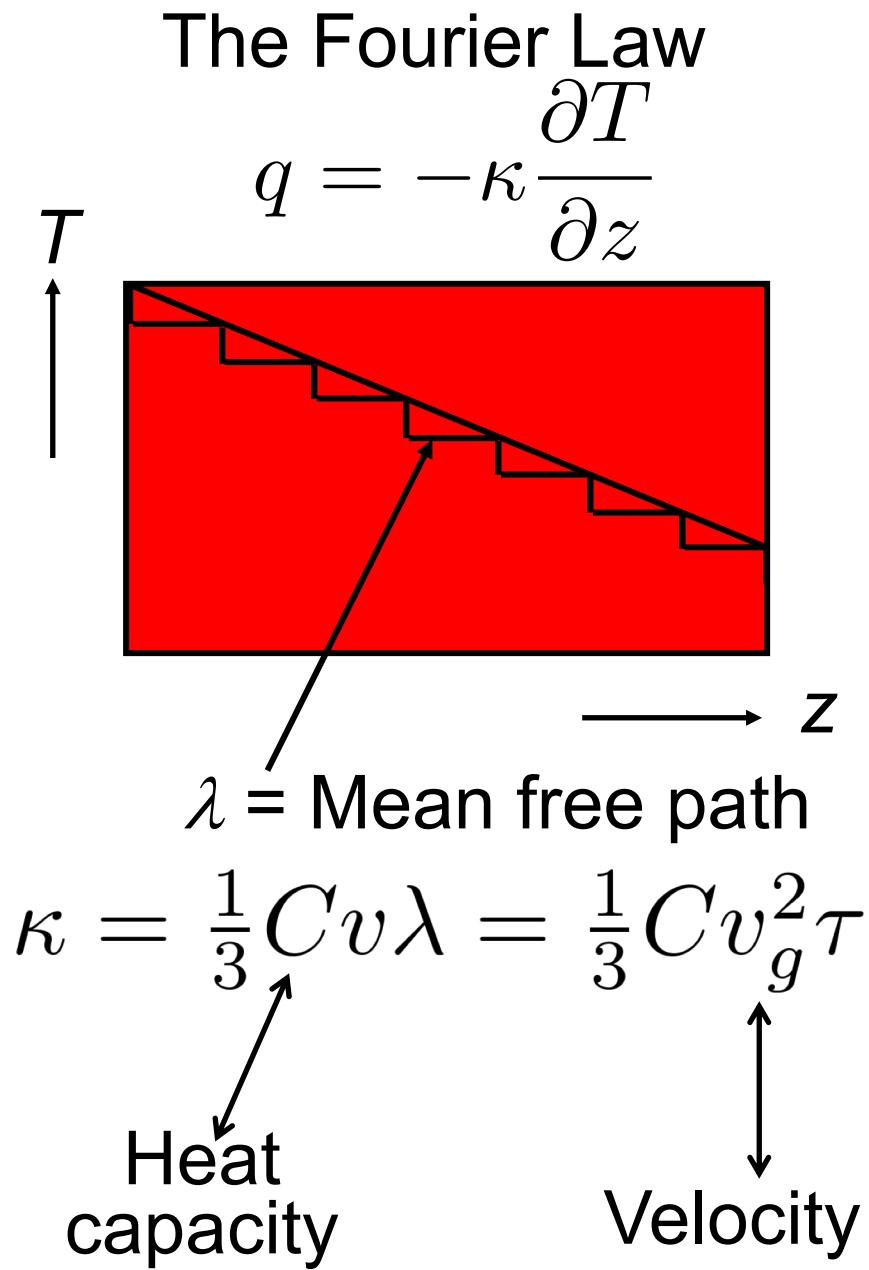
Experiments and Simulations in Thermal Engineering



Thermal conductivity of materials – Macro/Microscopic

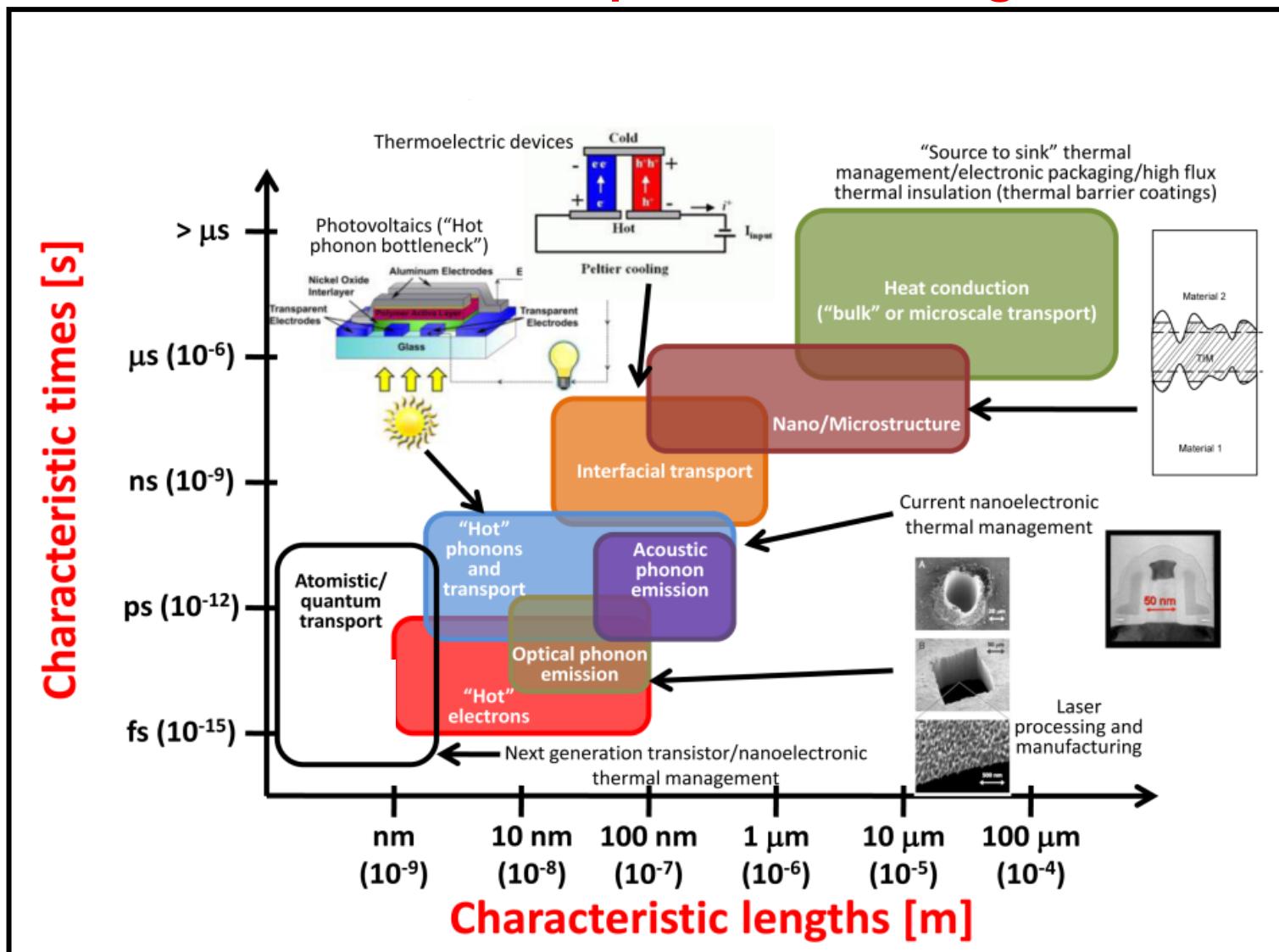


PRL 110, 015902 (2013)



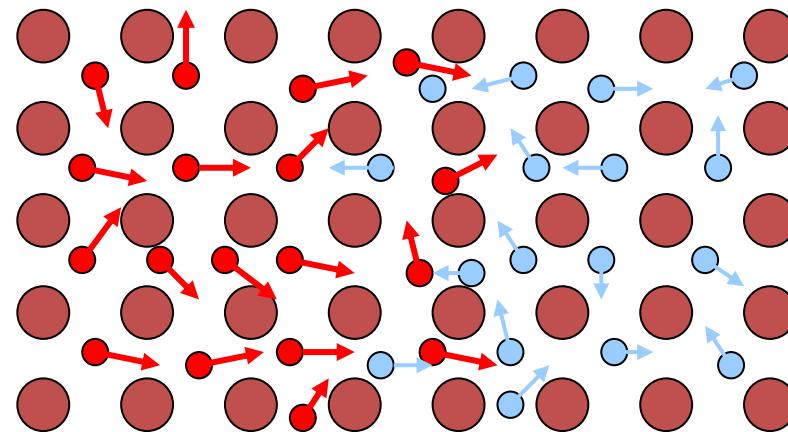
My group – ExSiTE Lab

Engineering energy transport, conversion and storage in materials over multiple time and length scales



Thermal conductivity of materials - nanoscopic

Diffusion of “hot” electrons



Metals:

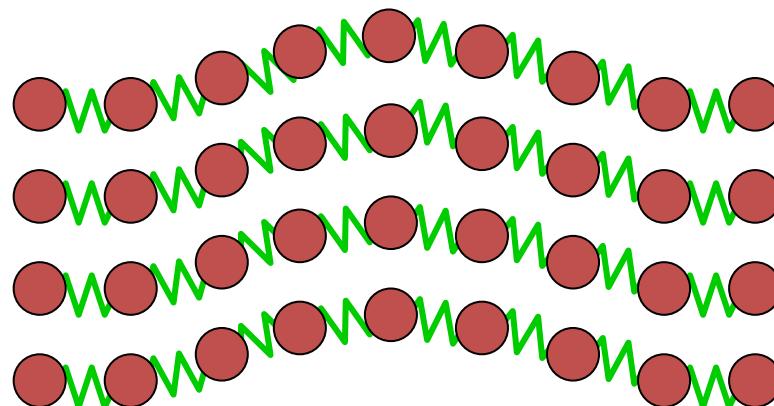
Free electrons are the dominant energy carriers in metals, ballistic velocity $\sim 10^6$ m/s

- atom
- “hot” free electron
- “cold” free electron

Electron carrier density:

in metals $\sim 10^{23}$ cm⁻³

in semiconductors $\sim 10^{18}$ cm⁻³



Phonon propagation



Semiconductors:

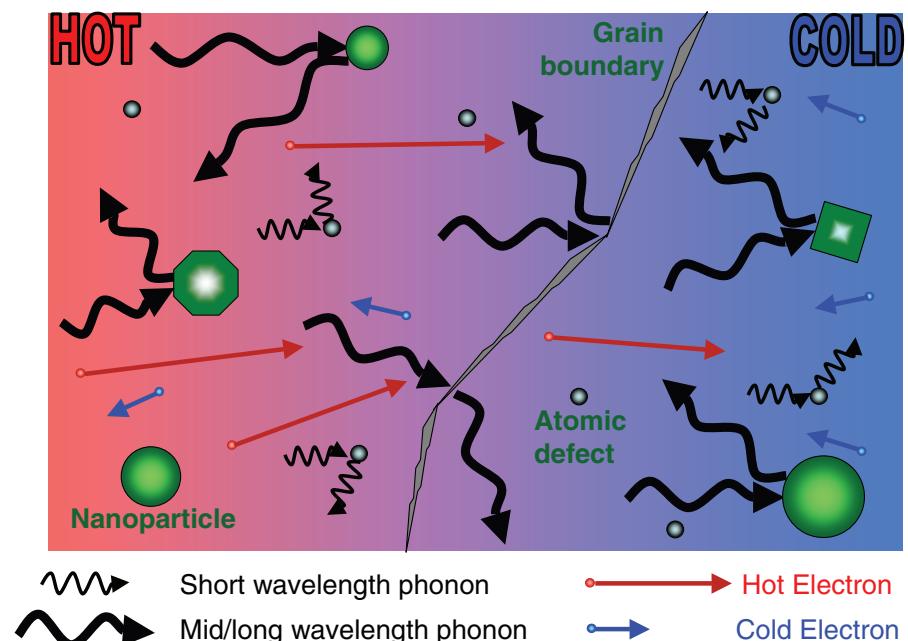
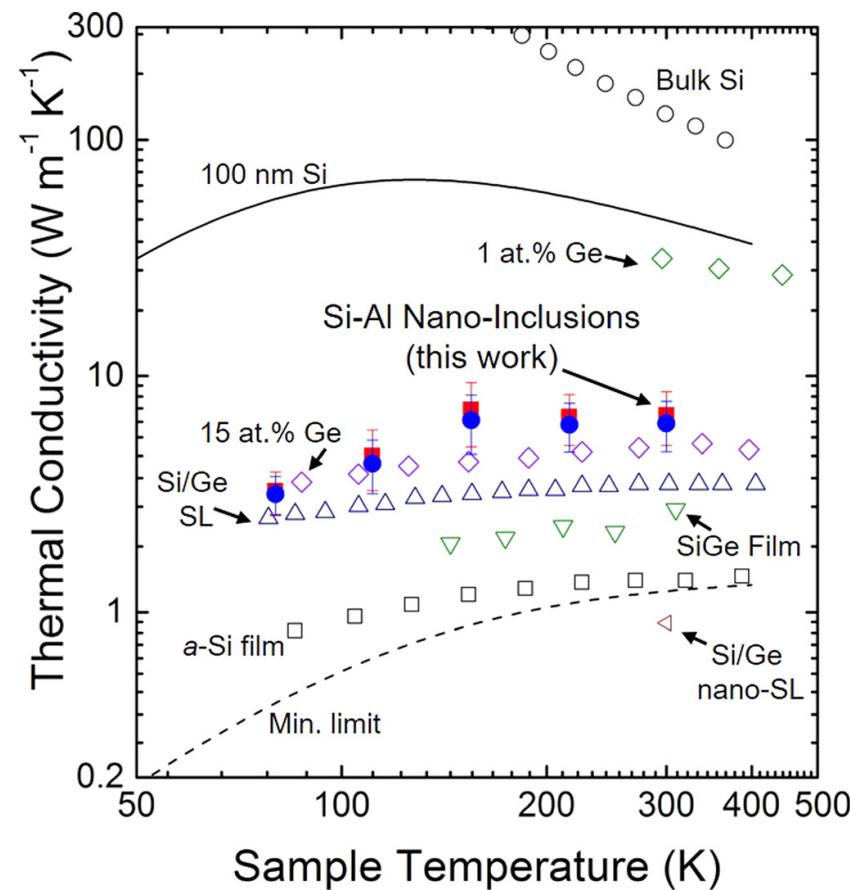
Phonons (lattice vibrations) are the dominant energy carriers in semiconductors, velocity $\sim 10^3$ m/s

$$\kappa = \frac{1}{3} Cv\lambda = \frac{1}{3} Cv_g^2 \tau$$

Thermal conductivity of nanostructures

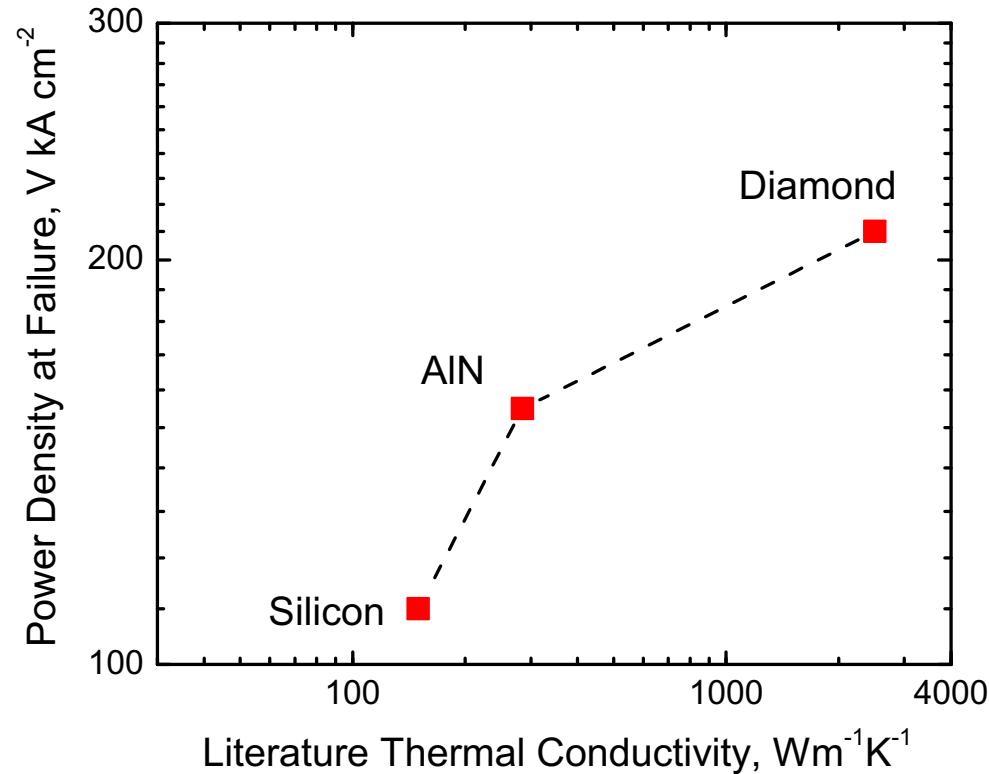
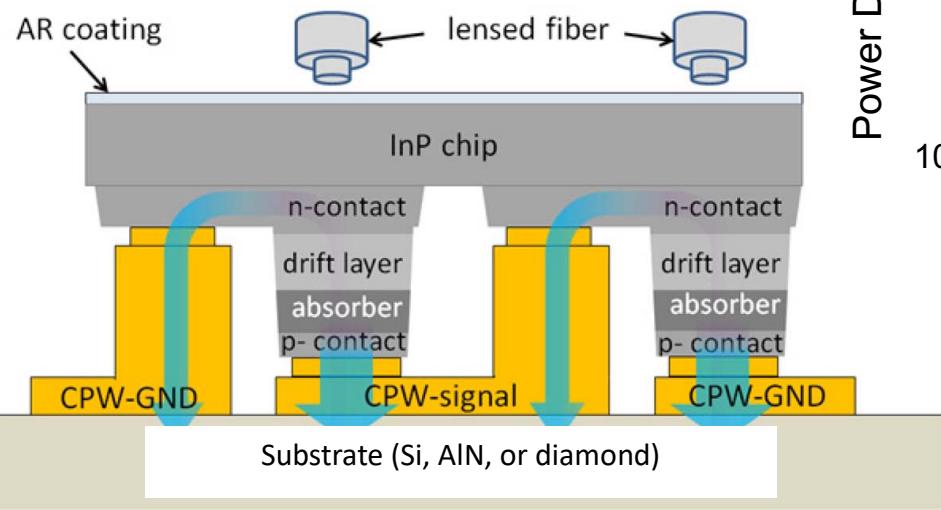
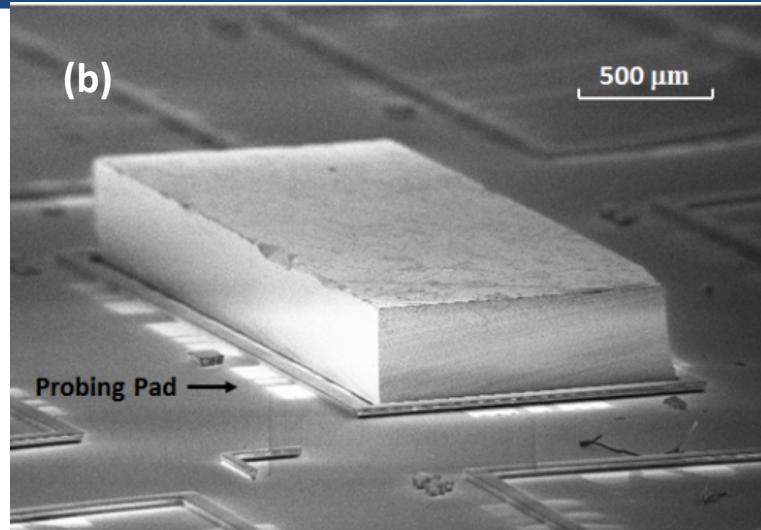
Nanoscale heat transfer

Well controlled and prescribed inclusions, defects, or interfaces to *permanently* change thermal conductivity



Adv. Mat. 22, 3970

An example: High power device thermal management

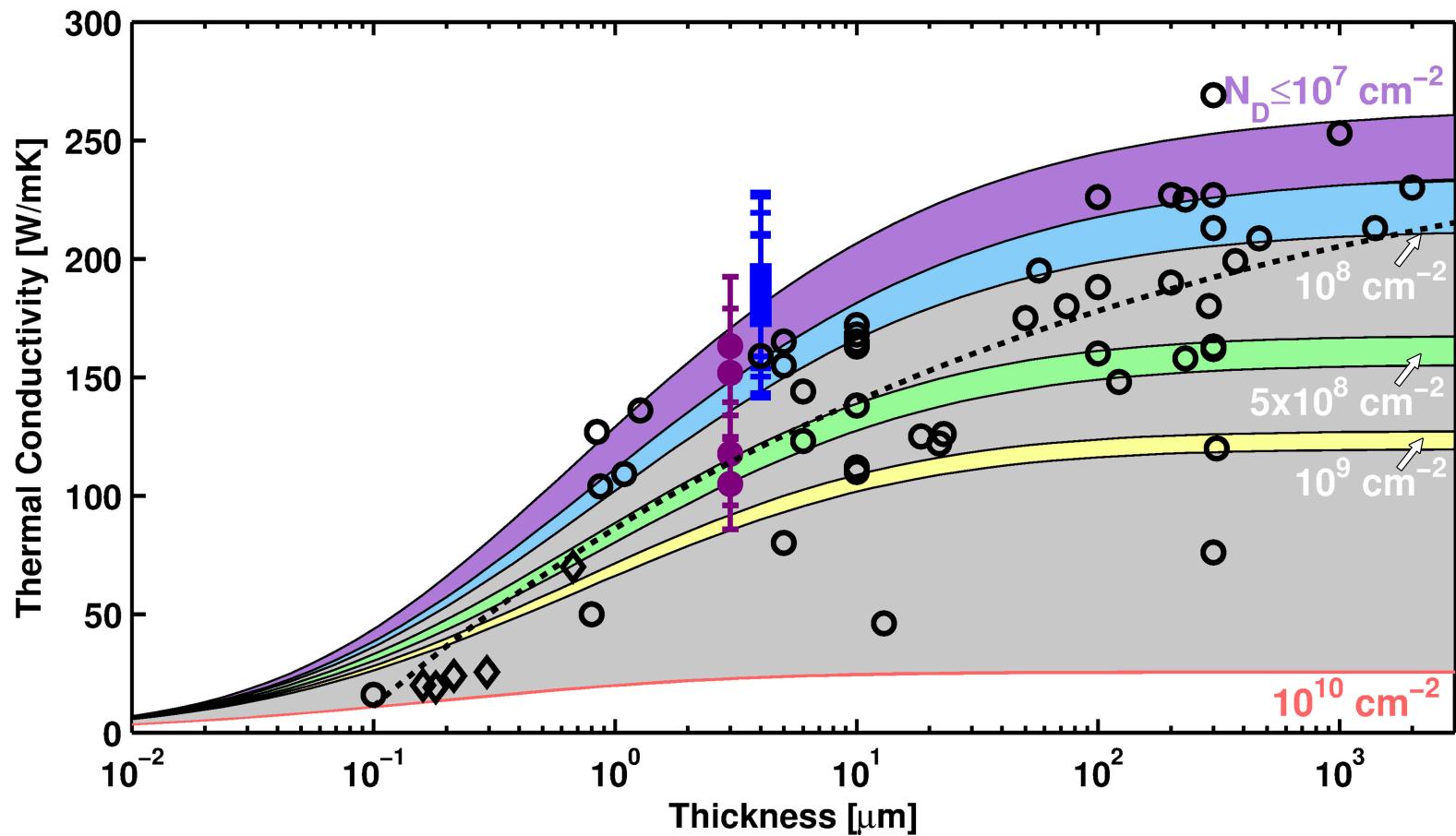


(c)
Collaboration with Joe Campbell (UVA)
J. Lightwave Technology 35, 4242 (2017)

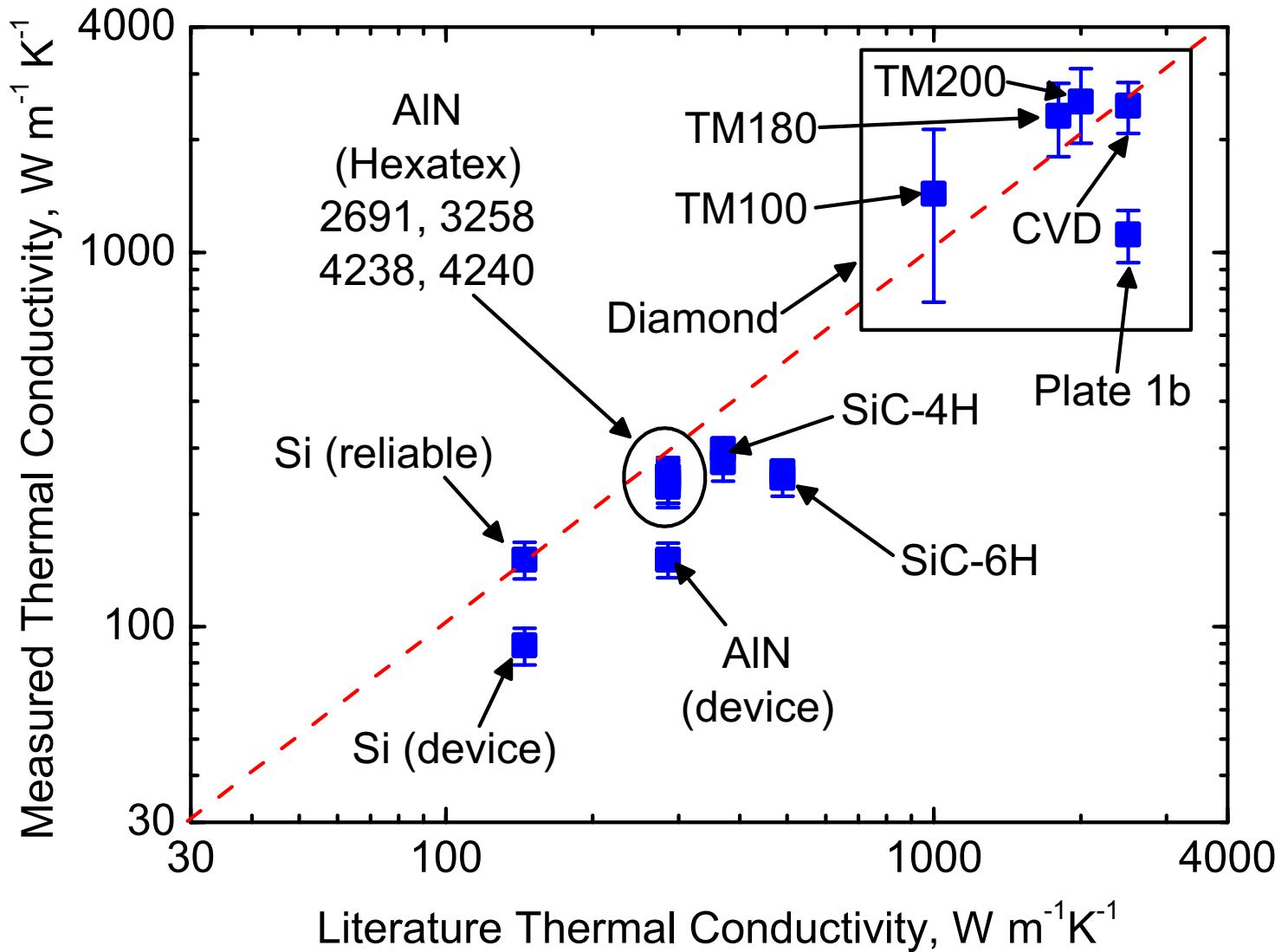
Thermal conductivity of materials – nanoscopic

$$\kappa = \frac{1}{3} Cv\lambda = \frac{1}{3} Cv_g^2 \tau$$

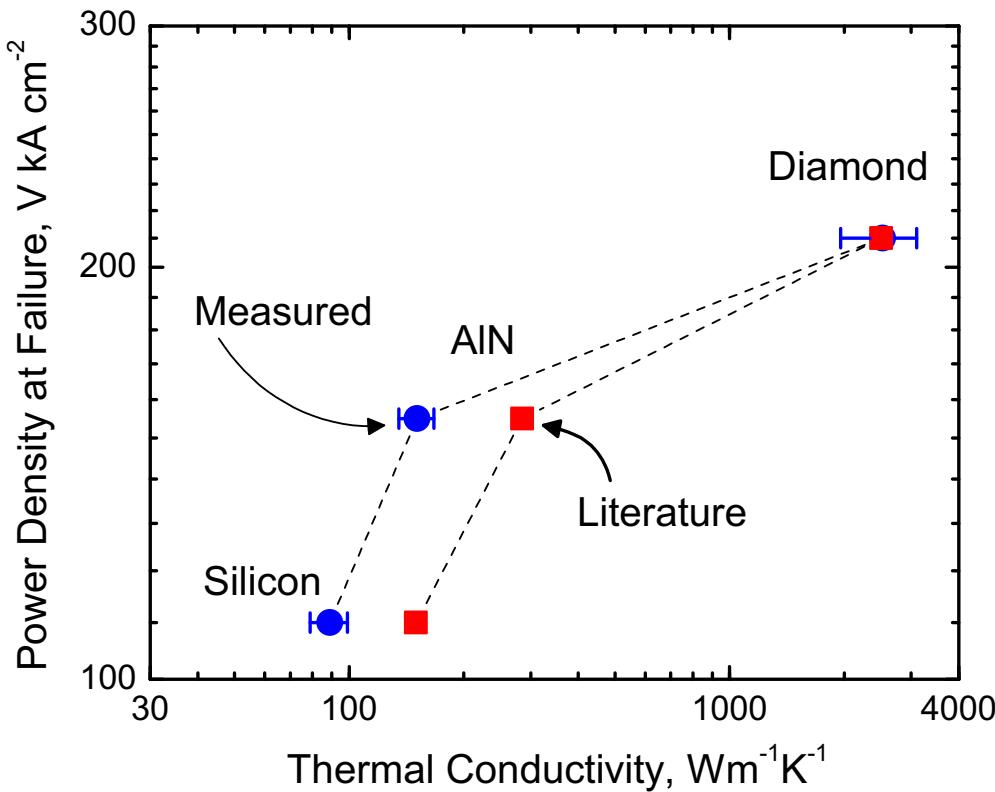
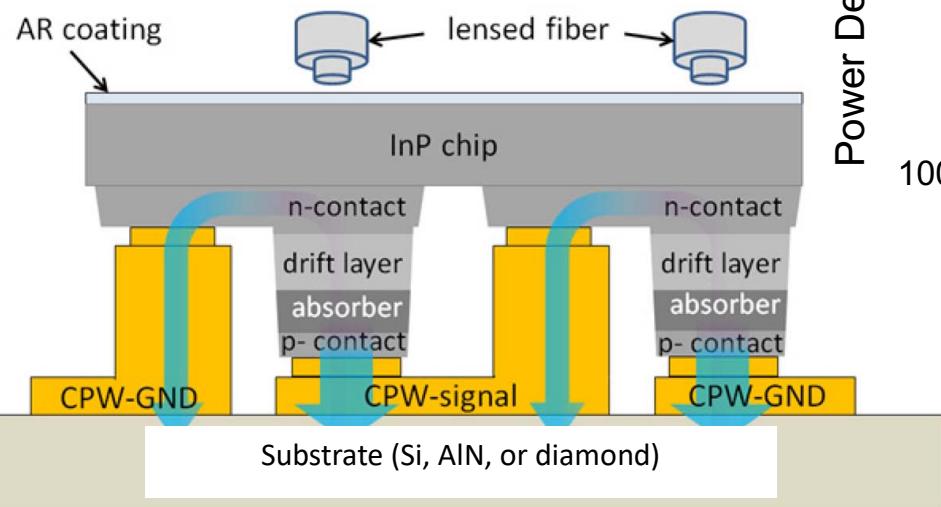
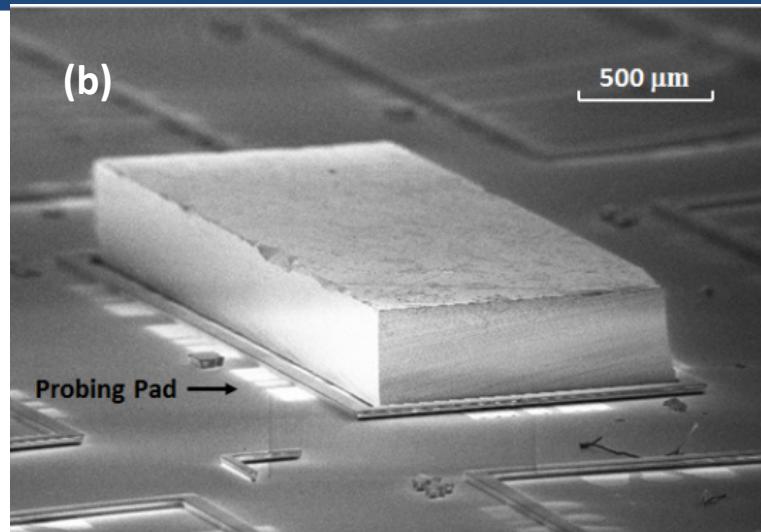
The case of GaN: Collaboration with Thomas Beechem (SNL)
J. Appl. Phys. **120**, 095104



Example: thermal conductivity of common high κ substrates



High power device thermal management – substrate effects

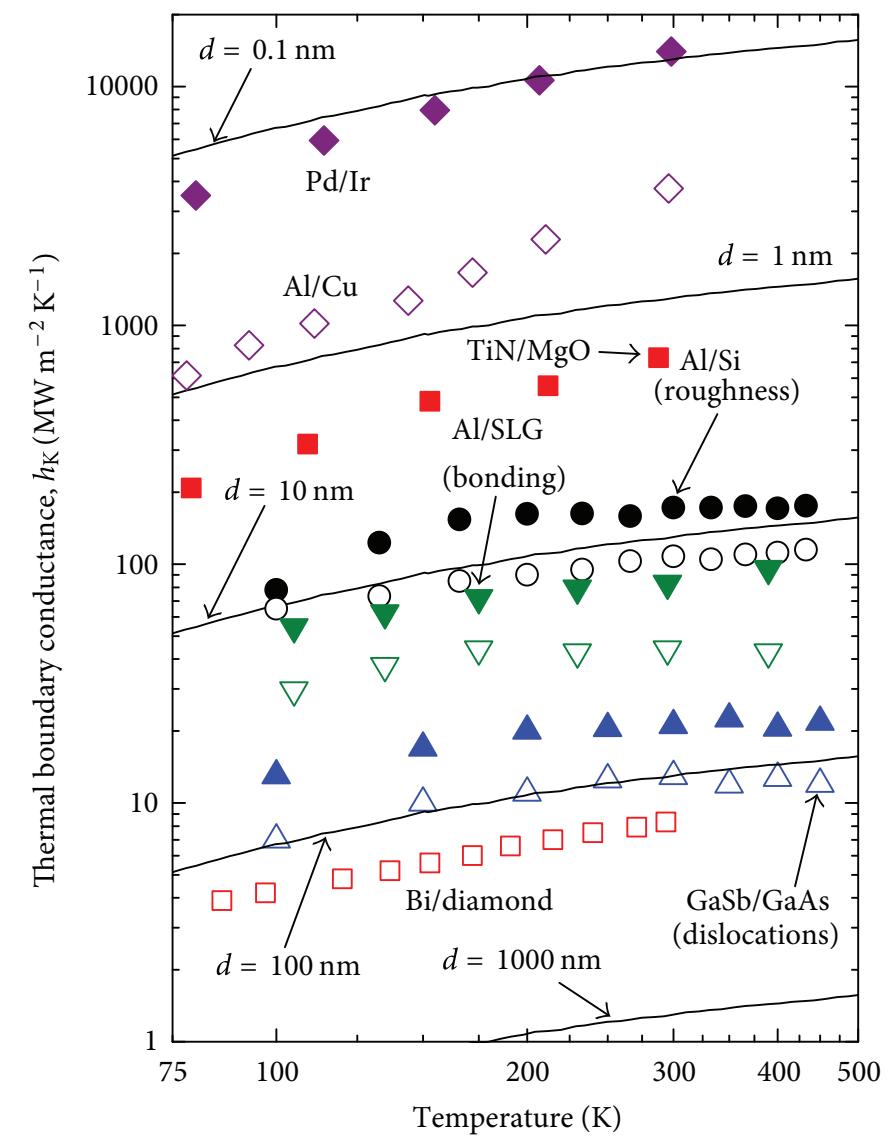
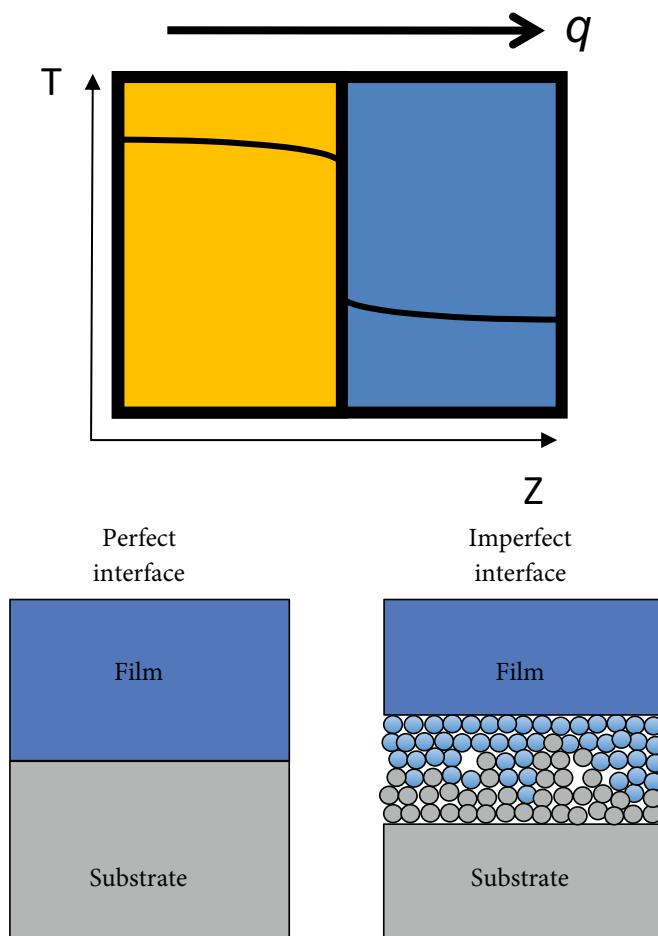


Still does not scale with heat sink thermal conductivity

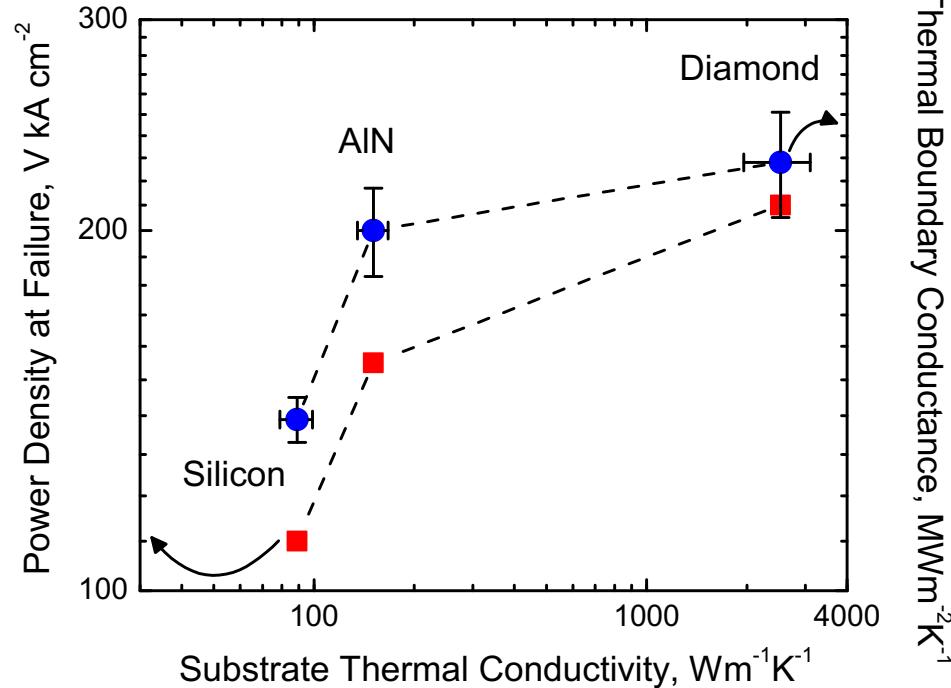
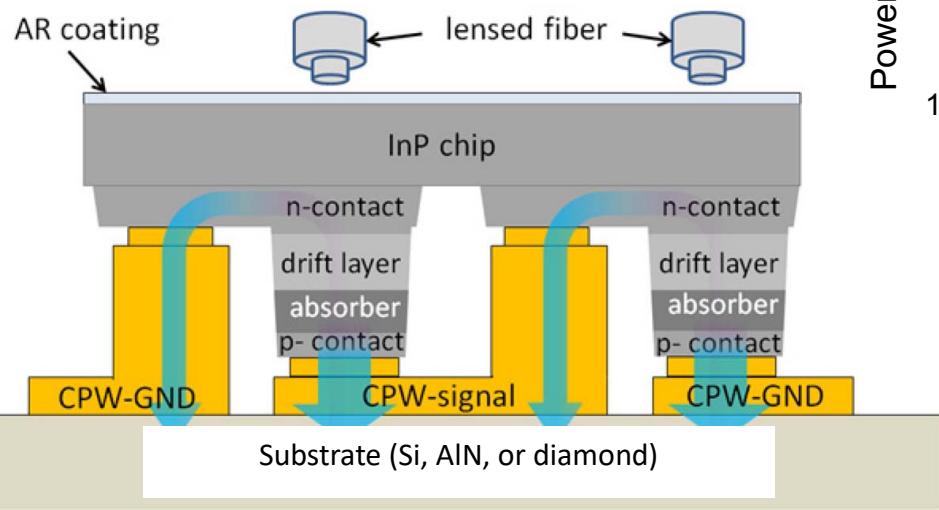
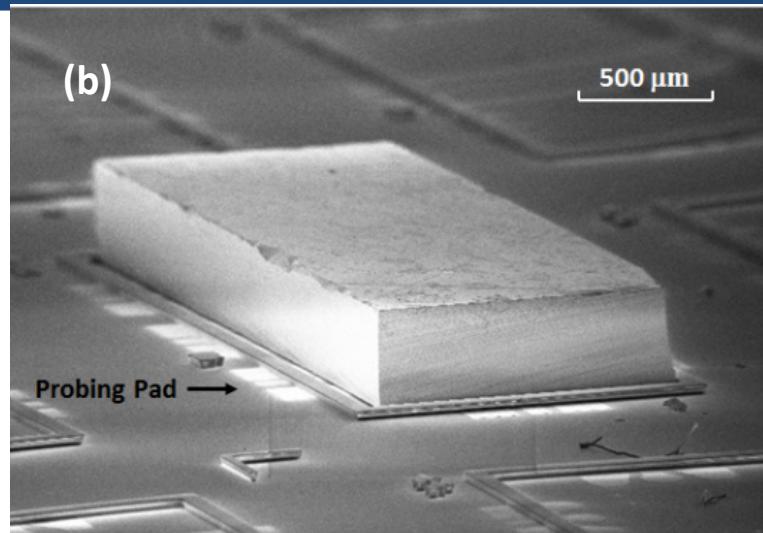
(c)
Collaboration with Joe Campbell (UVA)
J. Lightwave Technology 35, 4242 (2017)

Thermal boundary conductance – nanoscale resistances

$$q = h_K \Delta T = \frac{1}{R_K} \Delta T$$



High power device thermal management - nanoscale



TBC plays direct role in power density at failure

(c)

Collaboration with Joe Campbell (UVA)
J. Lightwave Technology 35, 4242 (2017)

Outline

Static control of phonon transport

Defects/interfaces to permanently change κ

Dynamic control of phonon transport

Thermal conductivity switch – can we *reversibly* change κ with an external stimulus?

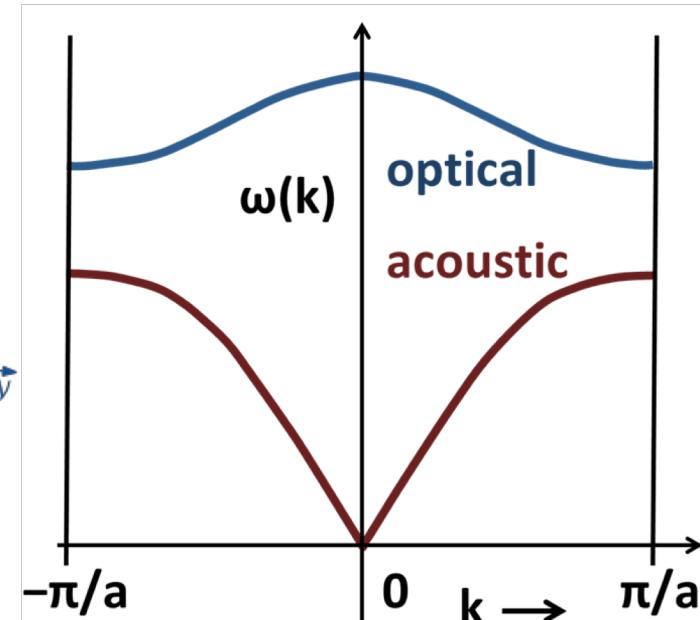
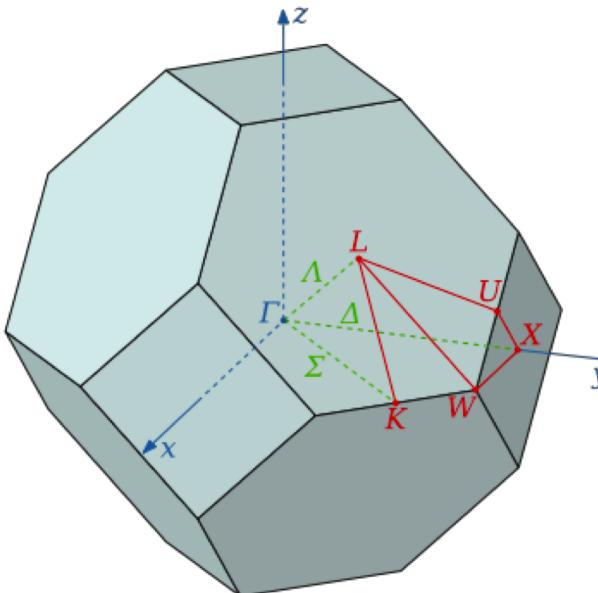
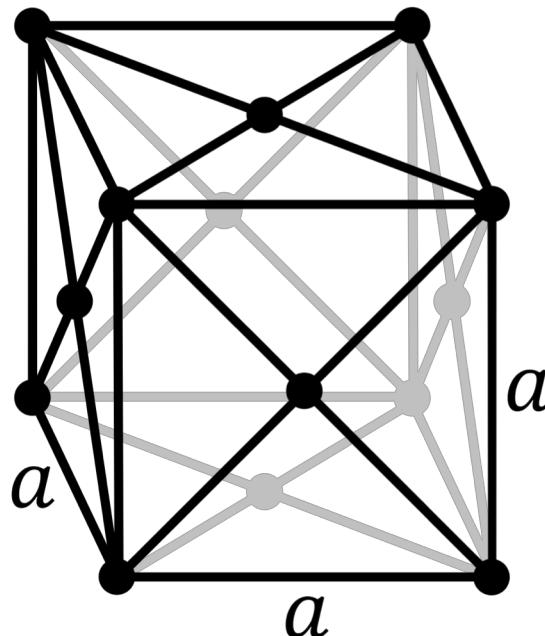
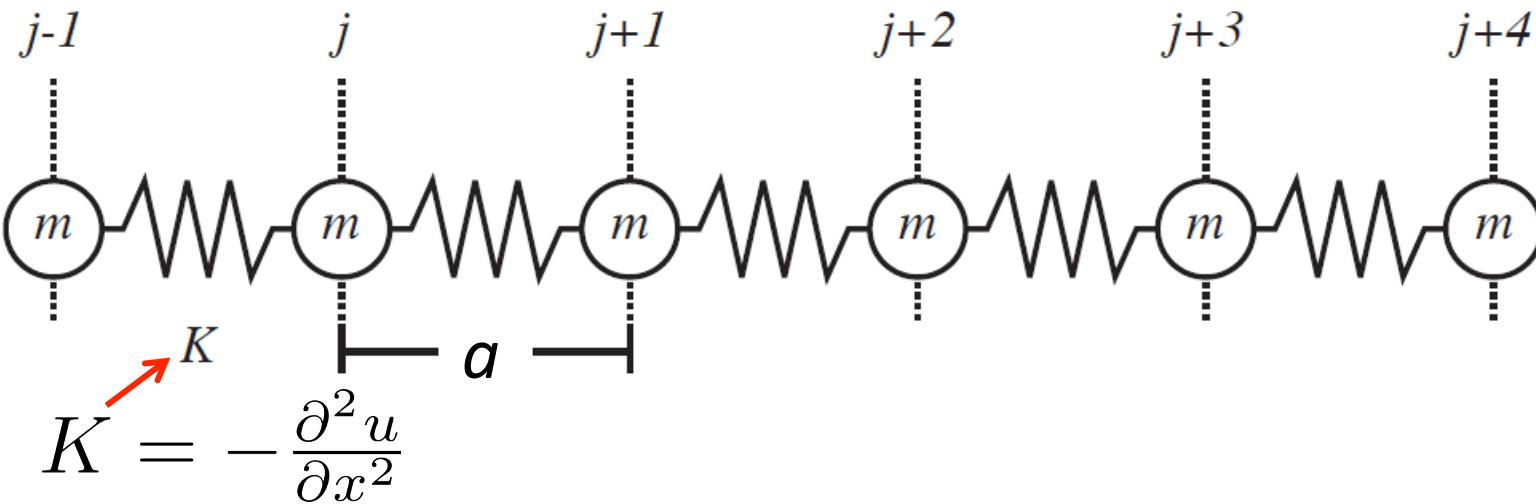
Outline

Static control of phonon transport

Defects/interfaces to permanently change κ

- Spectral phonon transport effects on thermal conductivity
 - When is a defect/interface “viewed” as a defect/interface from the phonon’s point of view
- Thermal conductivity of superlattices
 - Spectral phonon effects in superlattices
 - Long vs. short wavelength phonon transport
 - Wave vs. particle effects
 - When does a superlattice become a new material in the phonon’s view?

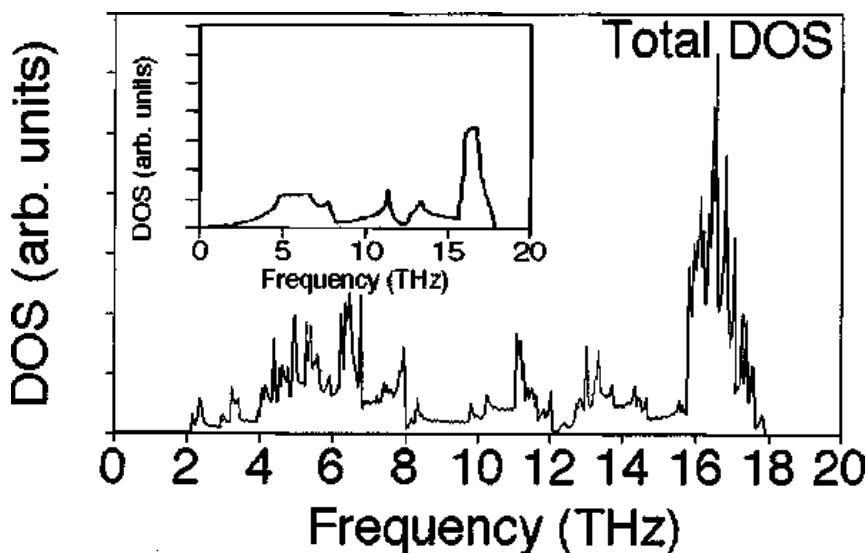
The spectrum of phonons



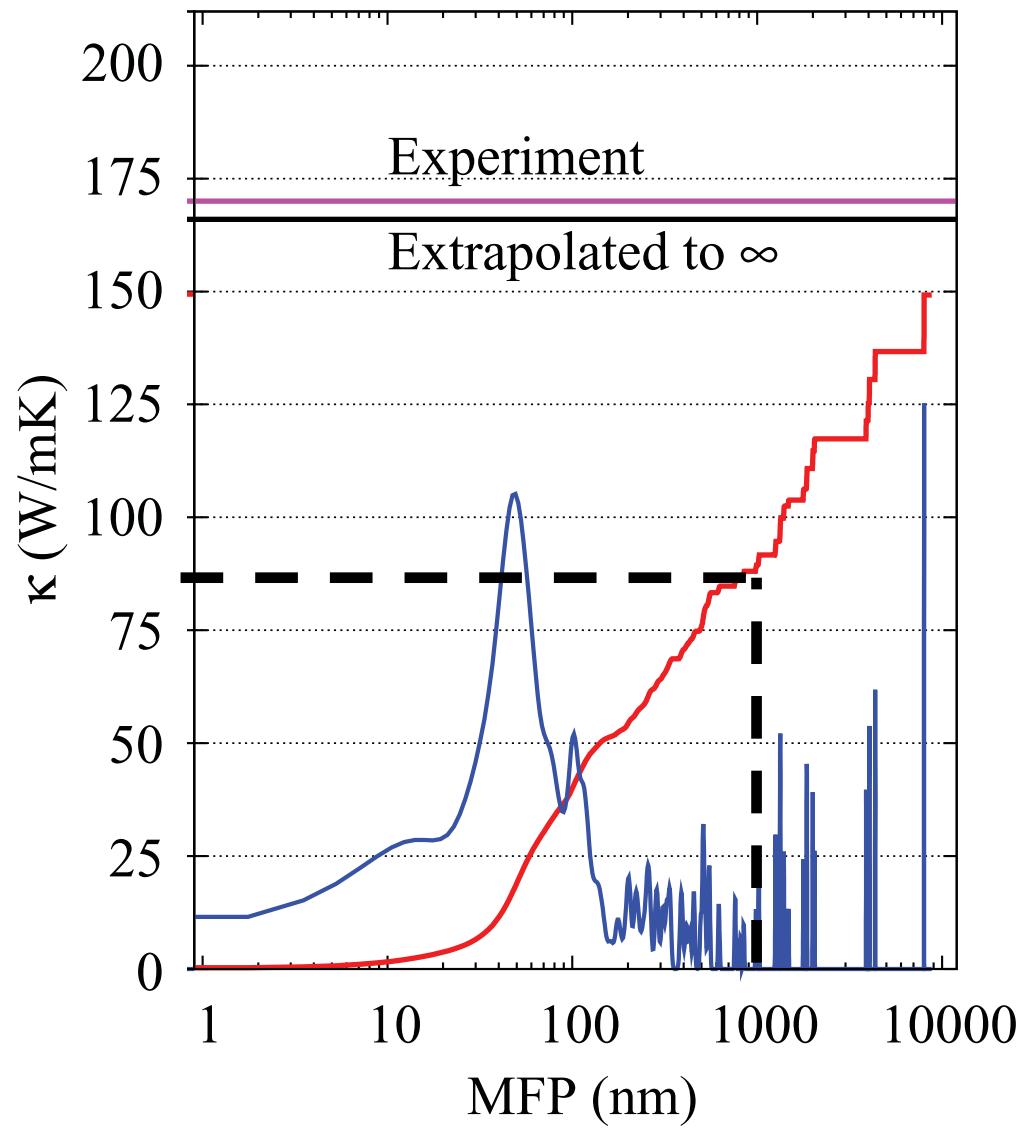
Spectral phonon transport – The “bandwidth” of phonons

$$\kappa = \int_{\omega} C_{\omega} v_{\omega} \lambda_{\omega} \, d\omega$$

50% of heat in Si carried by phonons with MFP's $\sim 1 \mu\text{m}$ and less



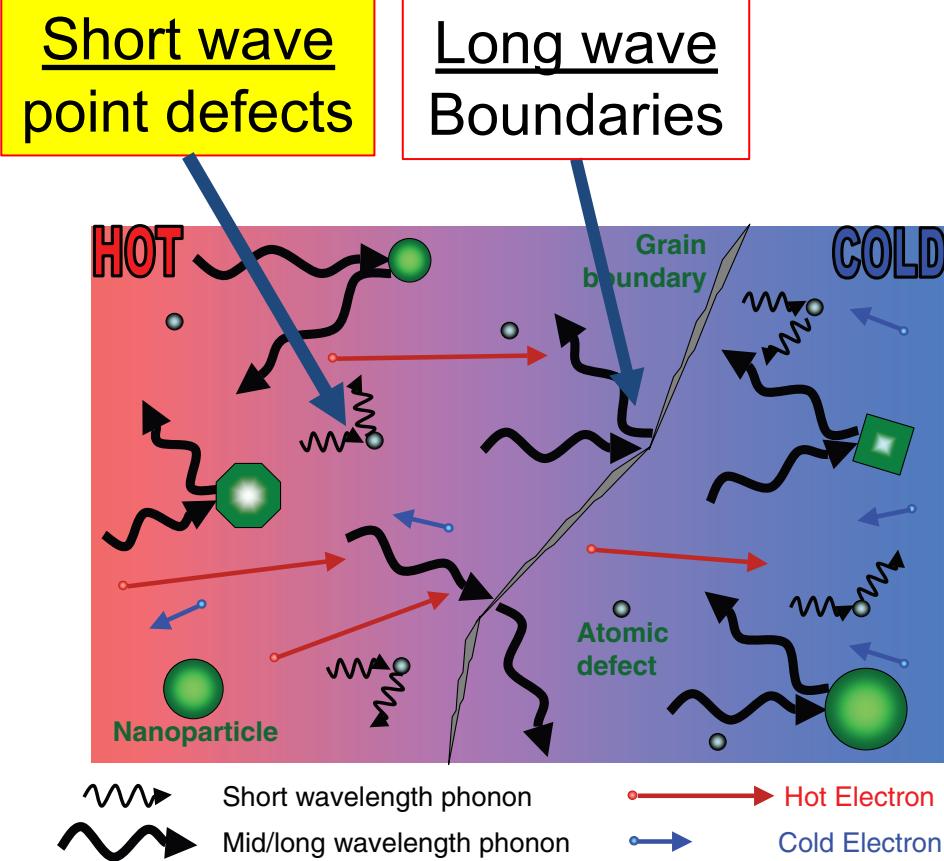
Schelling, Phillpot, Keblinski
J. Appl. Phys. **95**, 6082



Phys. Rev. B **84**, 085204

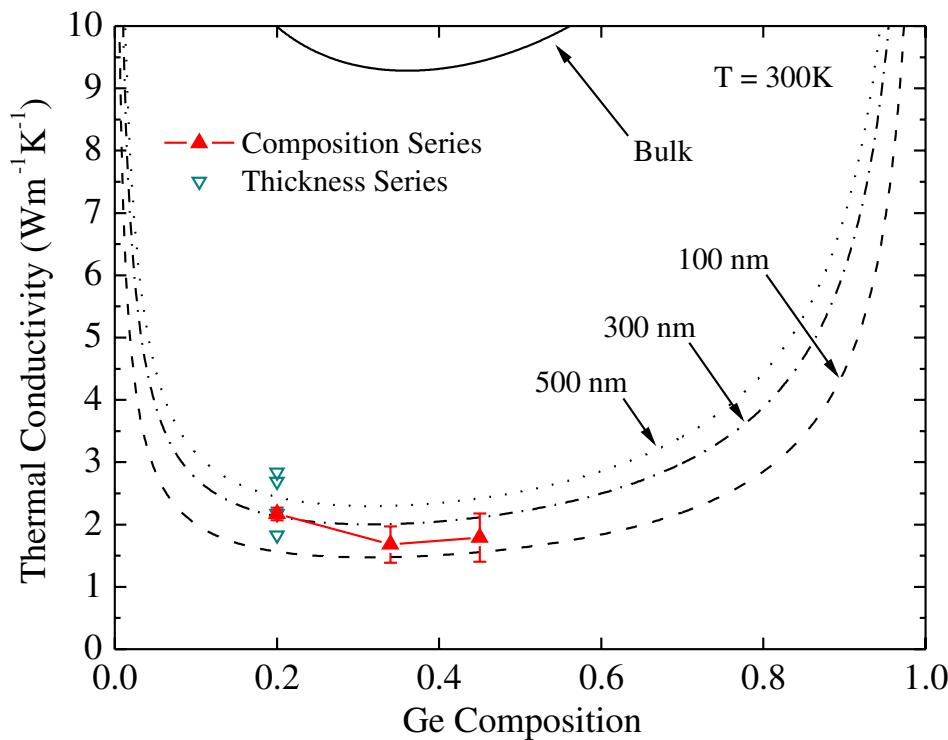
Spectral phonon transport – The “bandwidth” of phonons

How do defects play a role?



Adv. Mat. 22, 3970

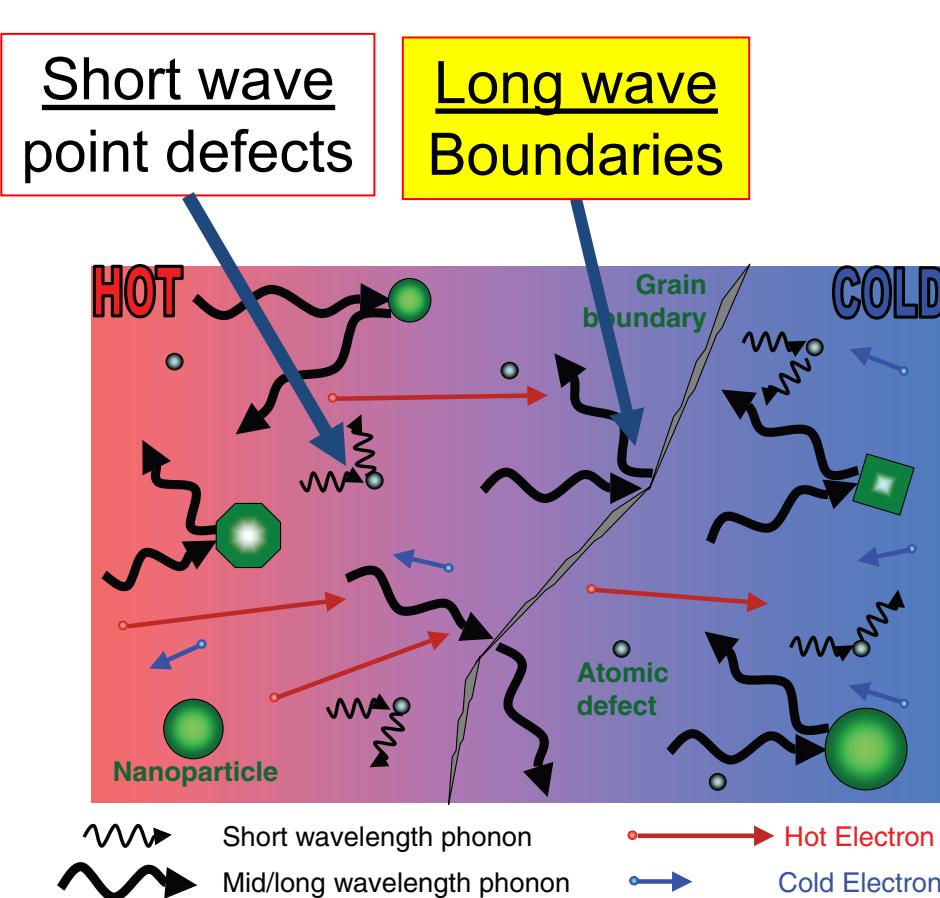
Thermal conductivity $\text{Si}_{1-x}\text{Ge}_x$ alloys



Phys. Rev. Lett. 109, 195901

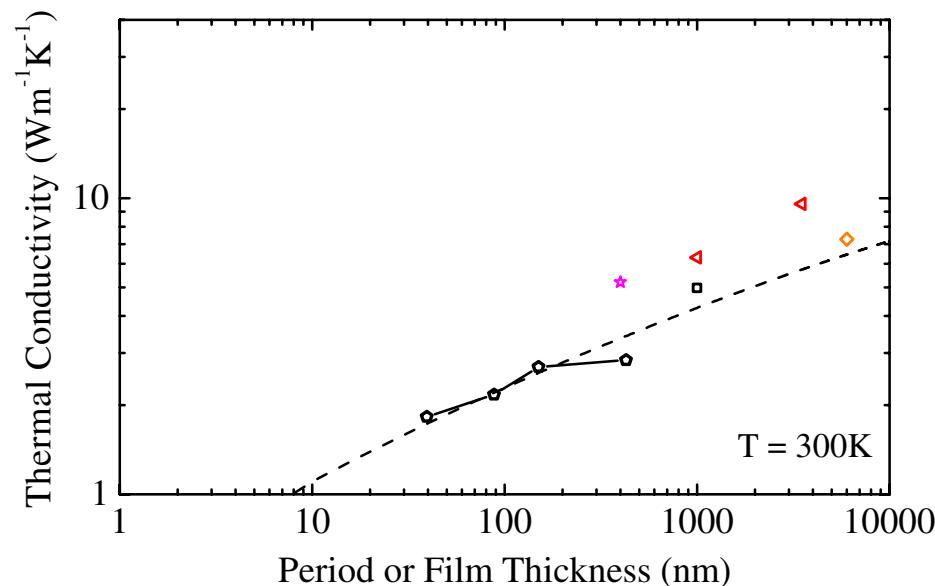
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Adv. Mat. 22, 3970

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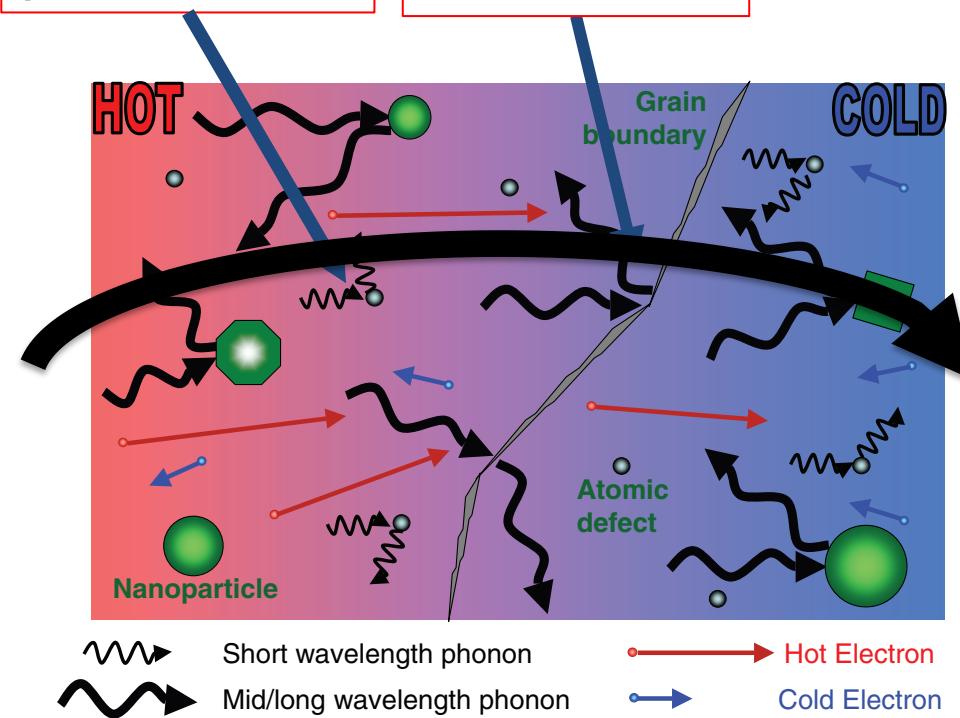
Spectral phonon transport – The “bandwidth” of phonons

How do defects play a role?

How about long, long wavelength phonons??

Short wave
point defects

Long wave
Boundaries



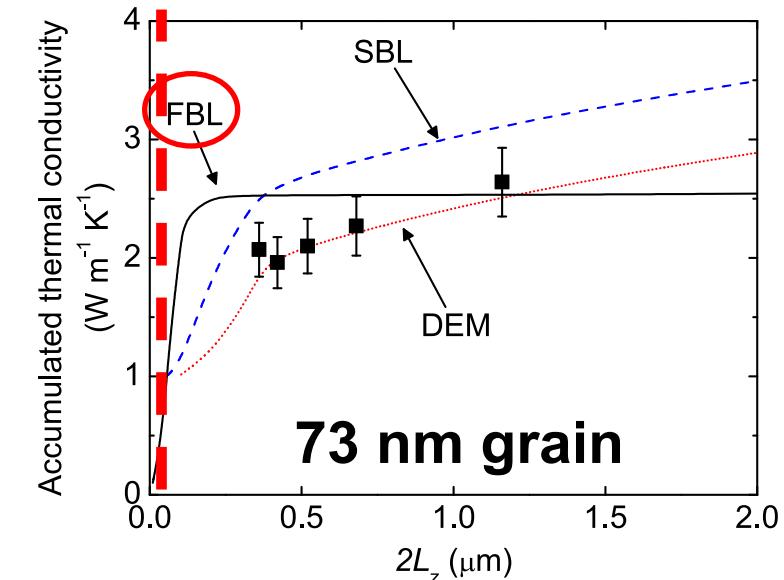
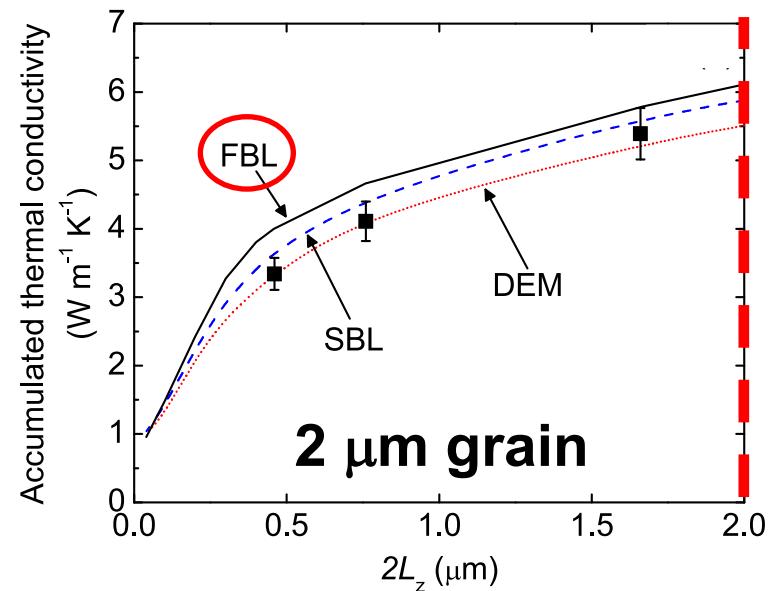
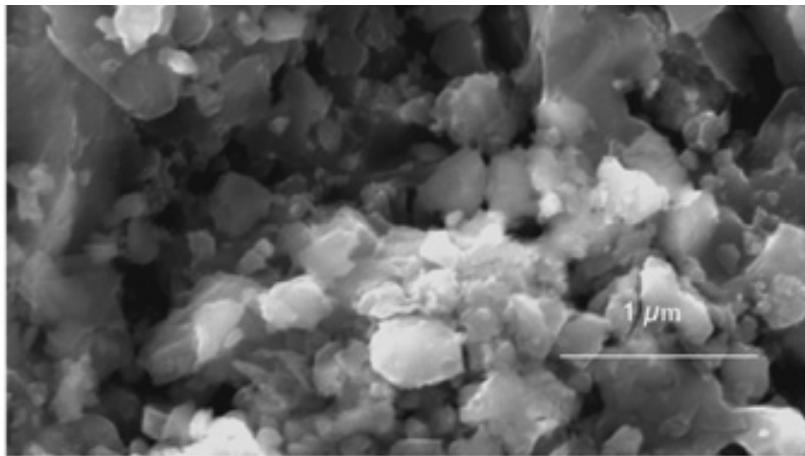
Adv. Mat. 22, 3970

What happens when phonon wavelengths are much greater than boundaries/interfaces?



Spectral phonon transport – Nanograin alloys

Nanograin $\text{Si}_{80}\text{Ge}_{20}$



Phonons with wavelengths
much larger than grain size
do not scatter at grain
boundaries

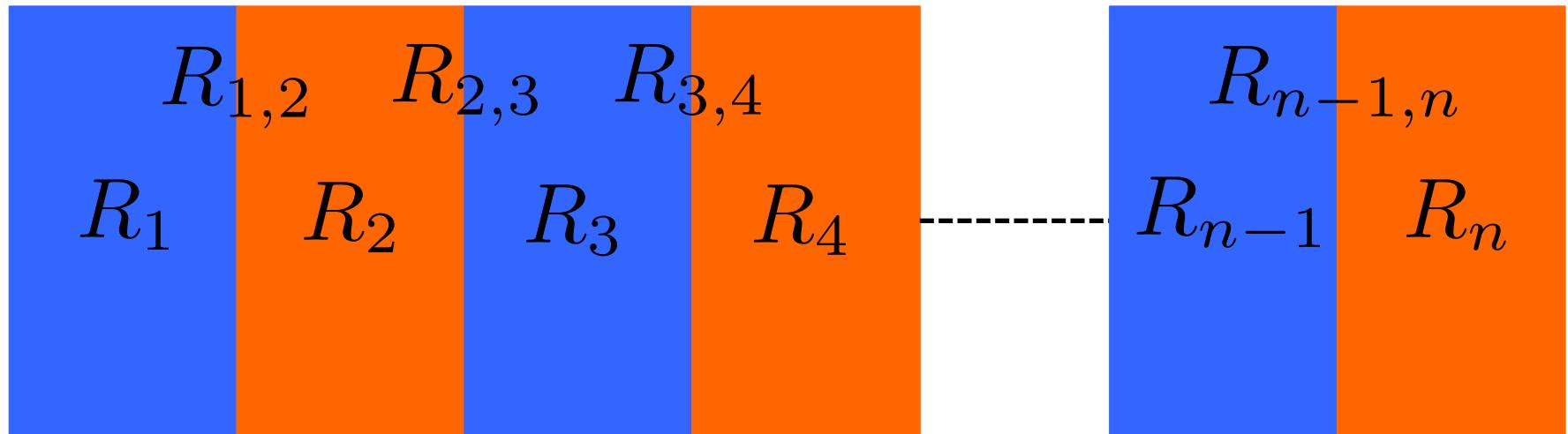
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Static control of phonon transport

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The traditional view of phonon transport in superlattices

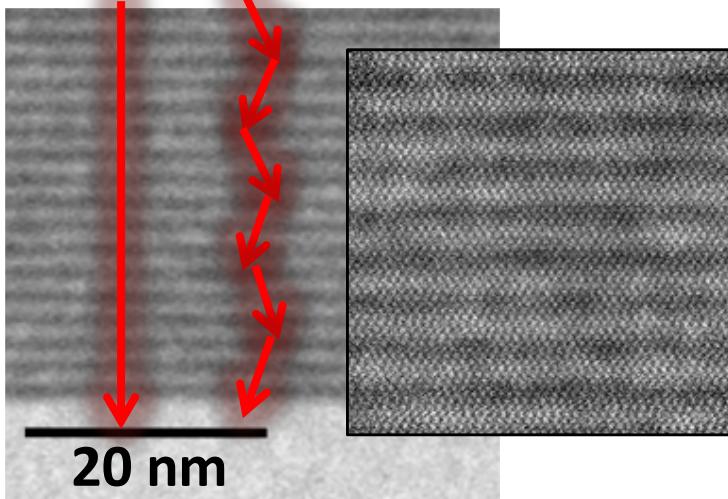


$$1/\kappa \propto 1/h = \sum_n R_j$$

Phonons scatter at every interface, and thus each interface offers a resistance to the overall thermal conductivity

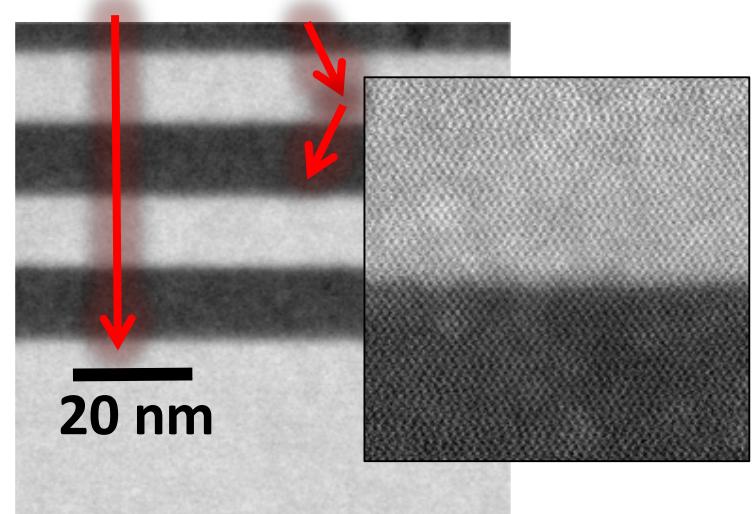
The traditional view of phonon transport in superlattices

(a)



$$d_{SL} = 2 \text{ nm}$$

(b)

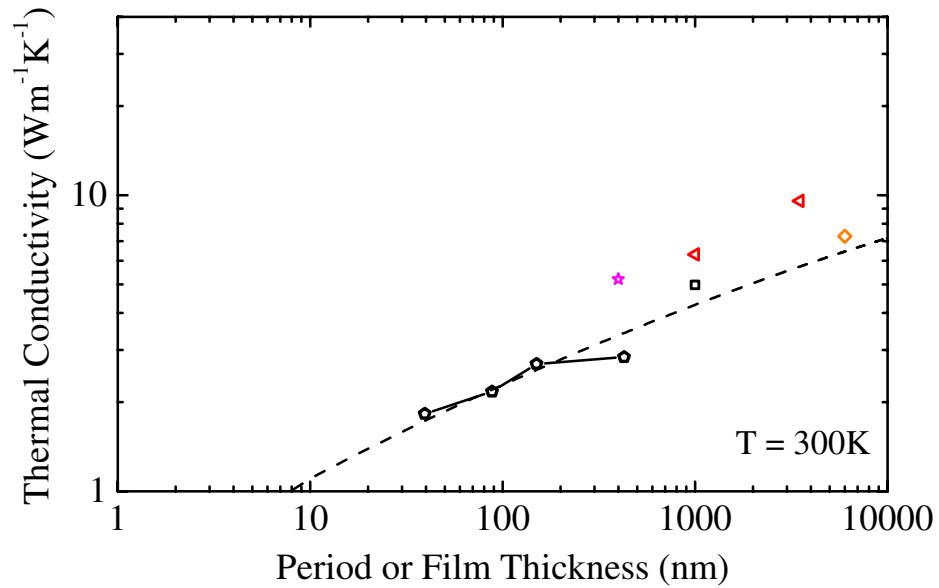


$$d_{SL} = 24 \text{ nm}$$

But remember what we learned in alloys: do the phonons with longer wavelengths “see” the interfaces?

What size effects matter in superlattices?

Thermal conductivity $\text{Si}_{1-x}\text{Ge}_x$ alloys

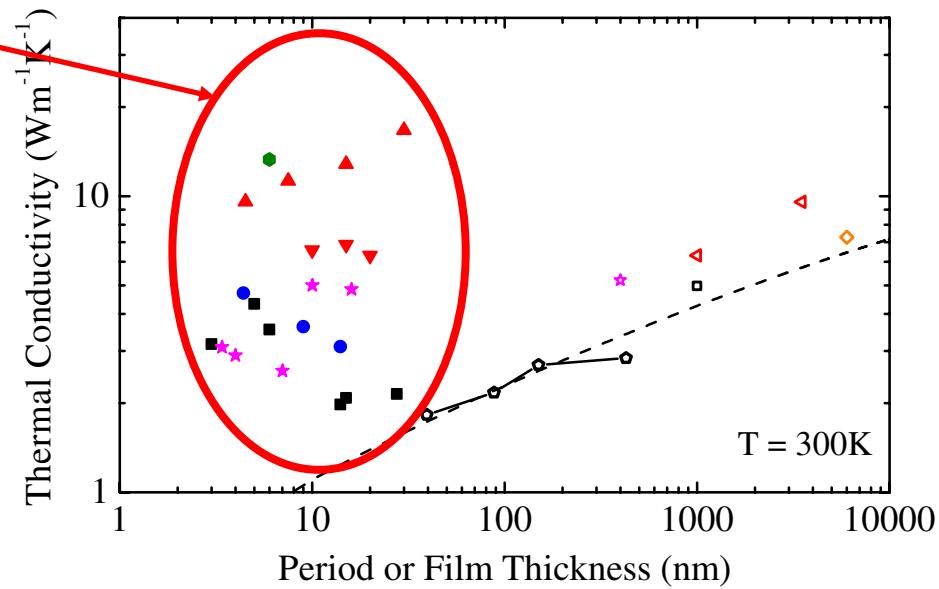


Phys. Rev. Lett. 109, 195901

What size effects matter in superlattices?

Superlattices vs.
period thickness

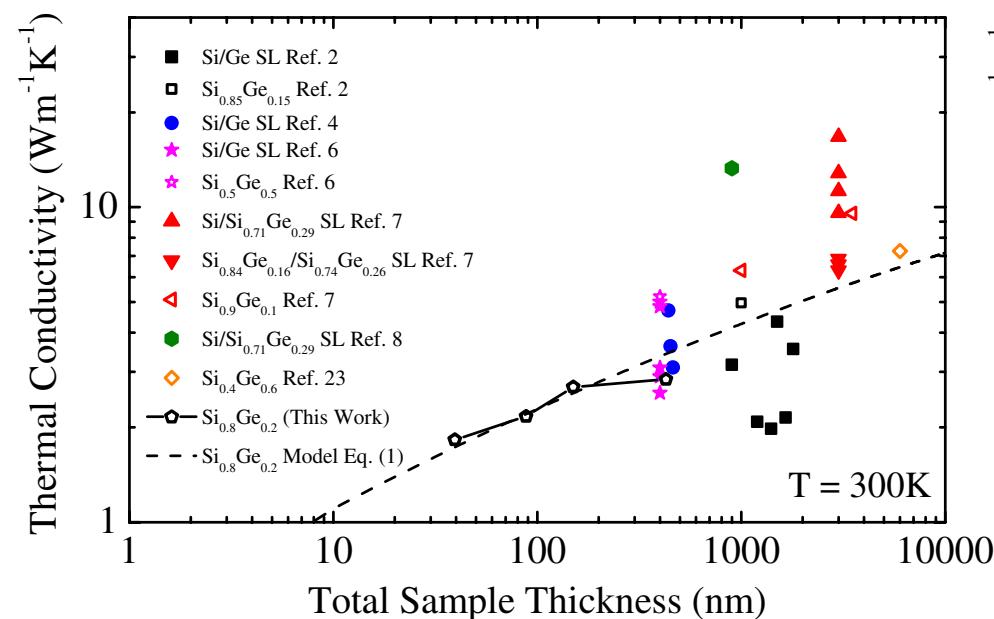
Thermal conductivity
 $\text{Si}_{1-x}\text{Ge}_x$ alloys



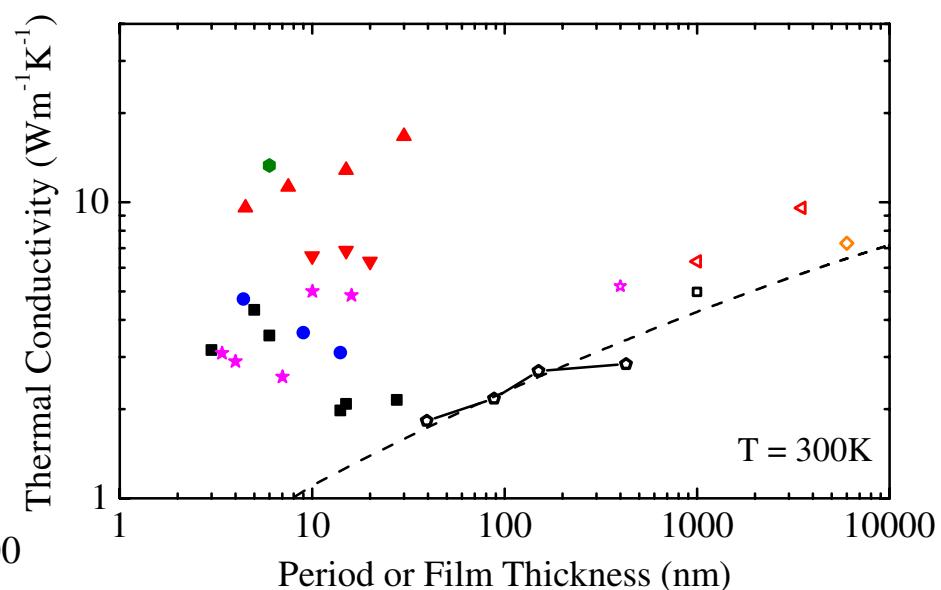
Phys. Rev. Lett. 109, 195901

What size effects matter in superlattices?

Superlattices vs. total sample thickness



Thermal conductivity $\text{Si}_{1-x}\text{Ge}_x$ alloys

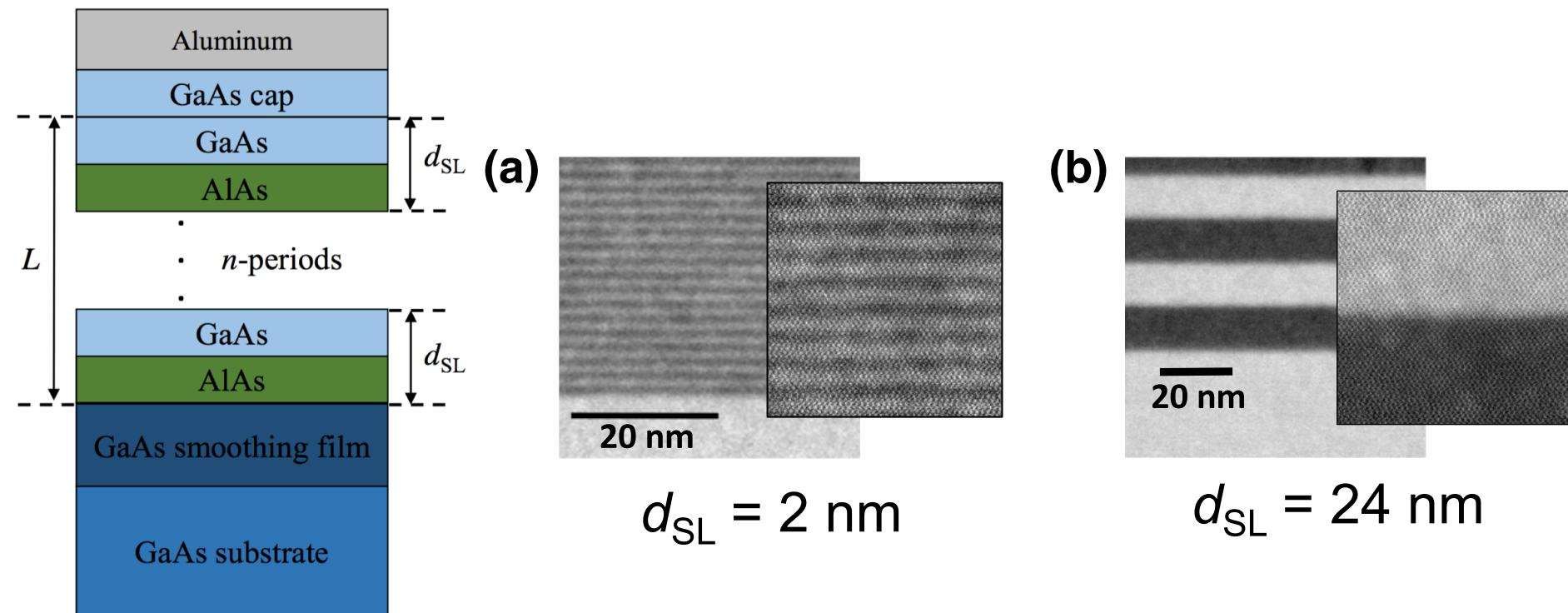


Total thickness vs. period thickness in SLs: what matters?

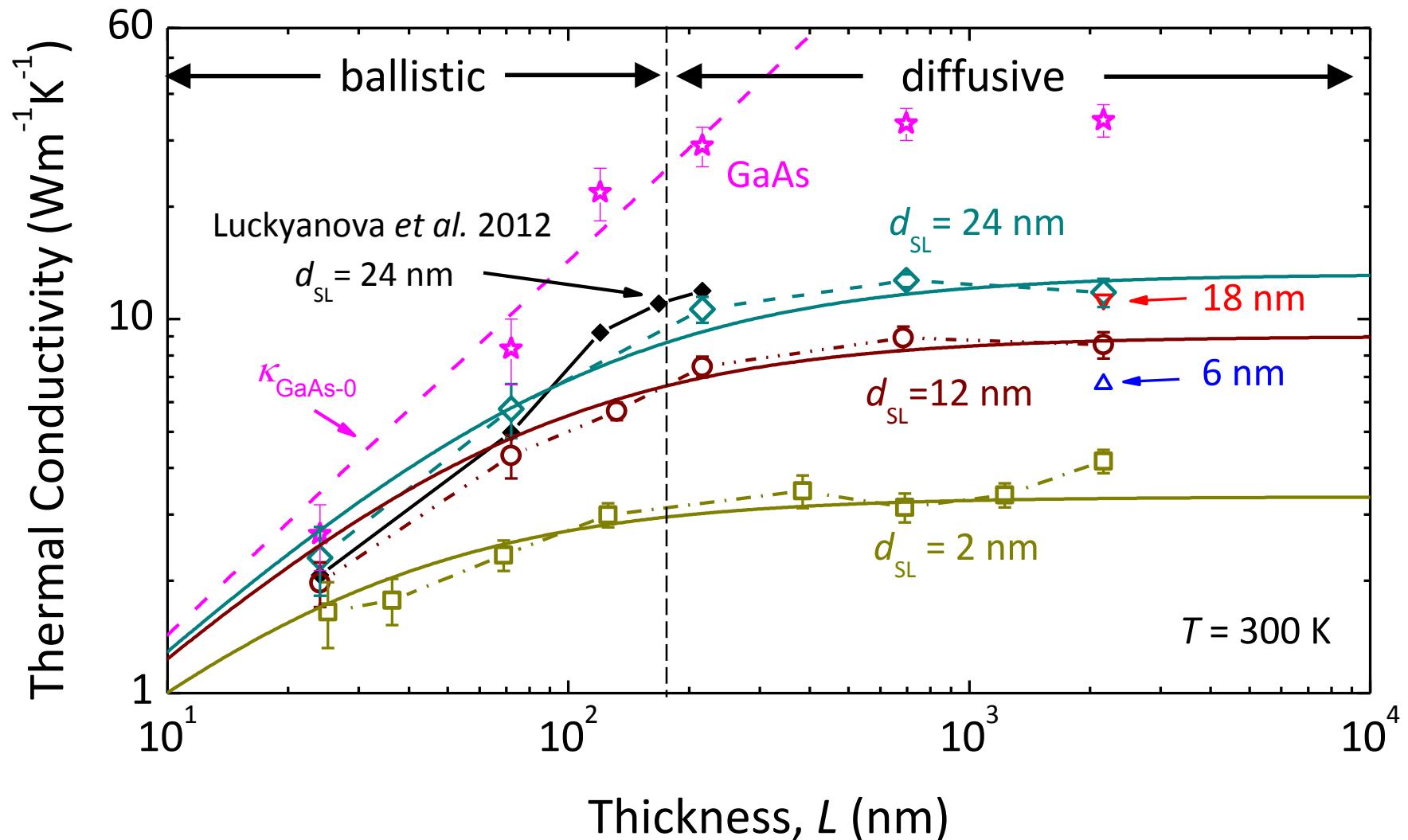
PHYSICAL REVIEW B **97**, 085306 (2018)

Interplay between total thickness and period thickness in the phonon thermal conductivity of superlattices from the nanoscale to the microscale: Coherent versus incoherent phonon transport

Ramez Cheaito,¹ Carlos A. Polanco,² Sadhvikas Addamane,³ Jingjie Zhang,² Avik W. Ghosh,² Ganesh Balakrishnan,³ and Patrick E. Hopkins^{1,4,5,*}

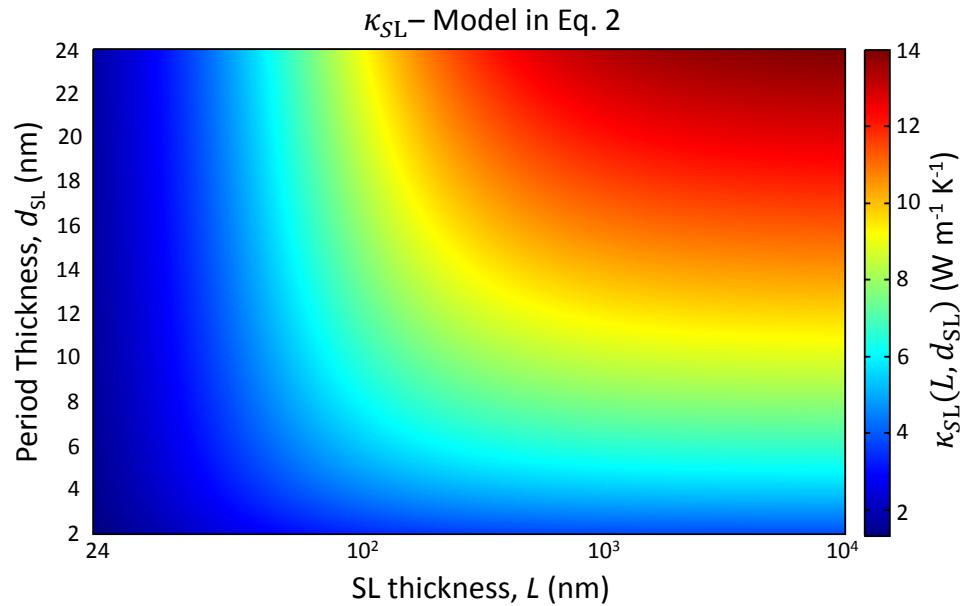


Thermal conductivity of GaAs/AlAs SLs

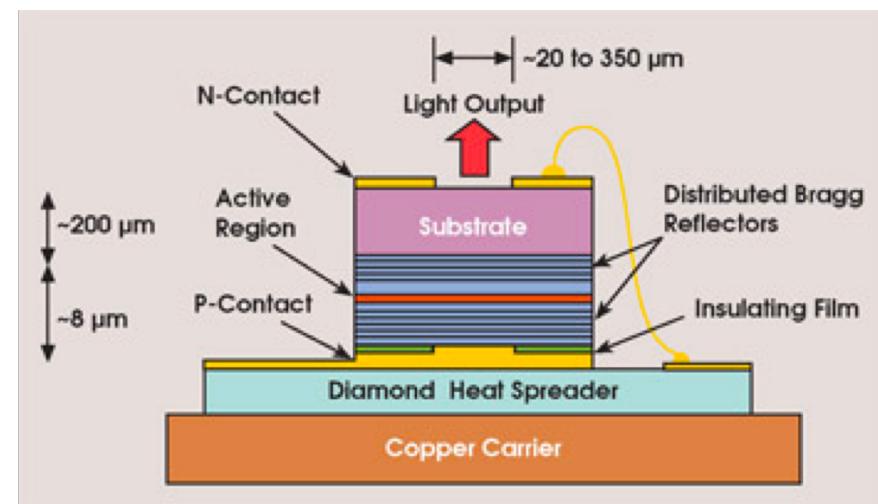


Designing the thermal conductivity of SLs

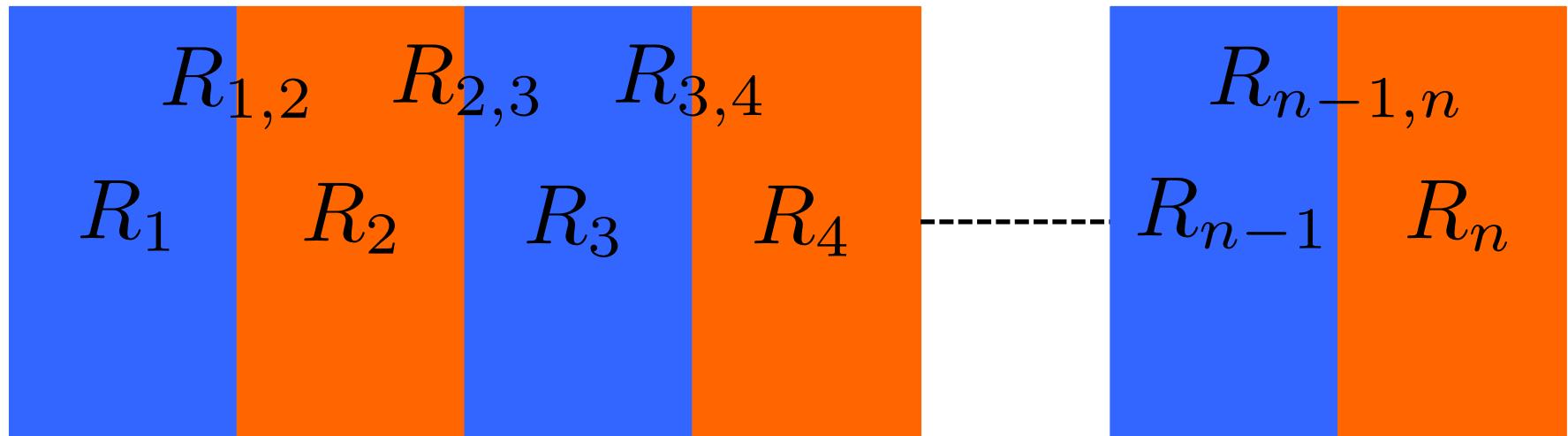
Can use two length scales to control the thermal conductivity of SLs



Want to more efficiently remove heat from SL? Make it larger, but can keep periodicity the same (important for VCSELs)

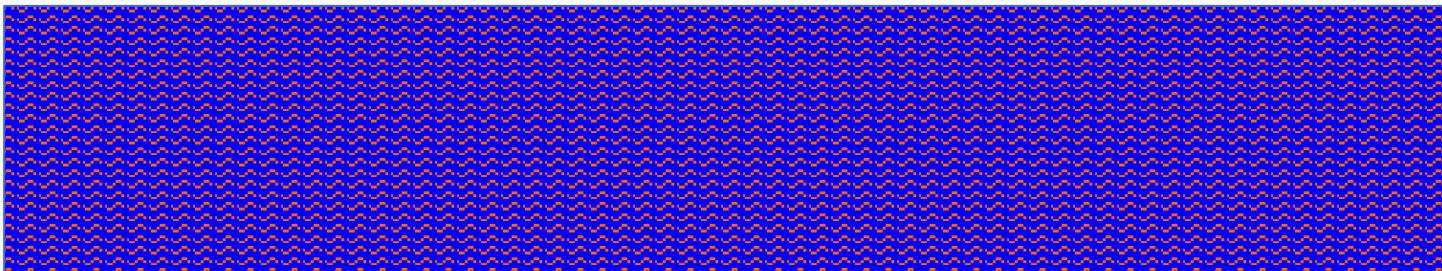


Incoherent/particle picture of phonon transport in SLs



$$1/\kappa \propto 1/h = \sum_n R_j$$

What if layers are “linked”? – coherent transport



The minimum thermal conductivity of superlattices

PHYSICAL REVIEW B

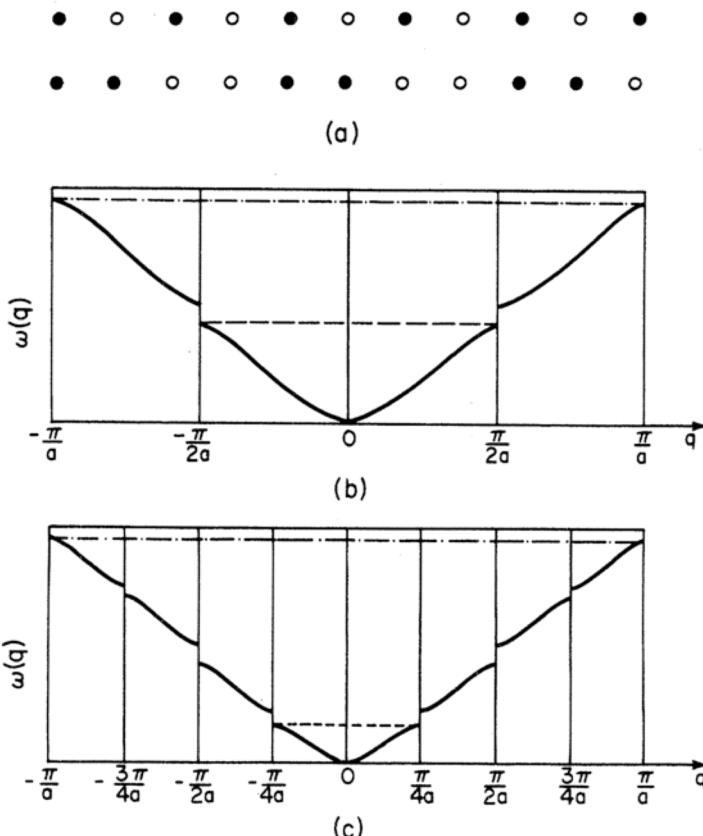
VOLUME 25, NUMBER 6

15 MARCH 1982

Thermal conductivity of superlattices

Shang Yuan Ren* and John D. Dow

Department of Physics and Coordinated Science Laboratory, University of Illinois at Urbana-Champaign, Urbana, Illinois 61801
(Received 21 September 1981)



Interfacial periodicity can lead to “mini-band” formation

VOLUME 84, NUMBER 5

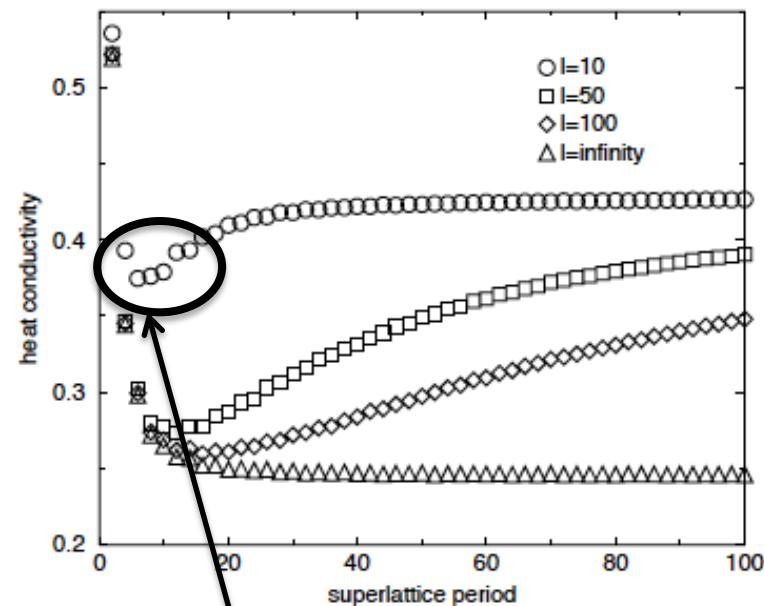
PHYSICAL REVIEW LETTERS

31 JANUARY 2000

Minimum Thermal Conductivity of Superlattices

M. V. Simkin and G. D. Mahan

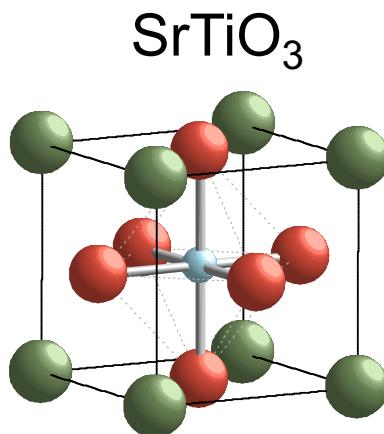
Department of Physics and Astronomy, University of Tennessee, Knoxville, Tennessee 37996-1200
and Solid State Division, Oak Ridge National Laboratory, P.O. Box 2008, Oak Ridge, Tennessee 37831
(Received 23 July 1999)



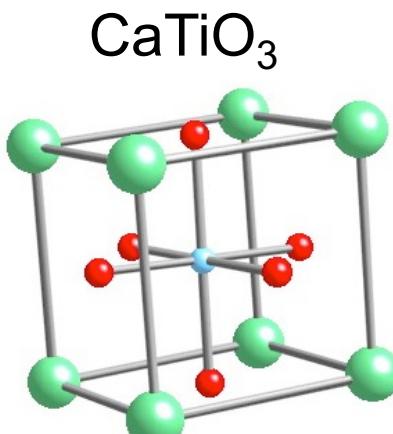
Mini-band formation leads to a minimum in the superlattice thermal conductivity

Experimental evidence of minimum thermal conductivity

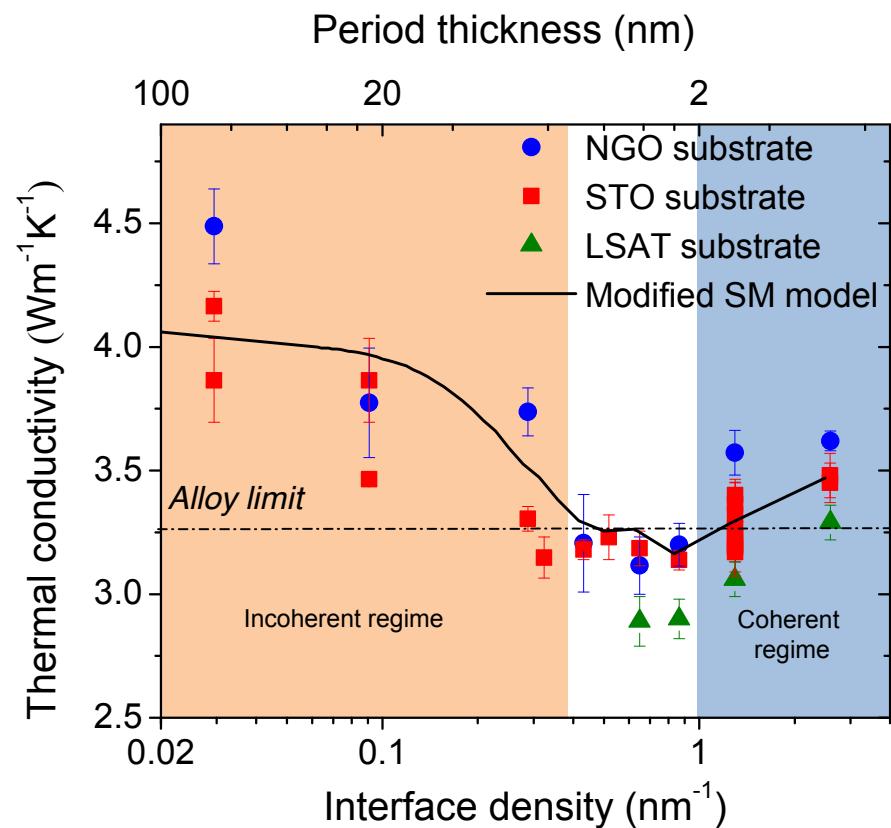
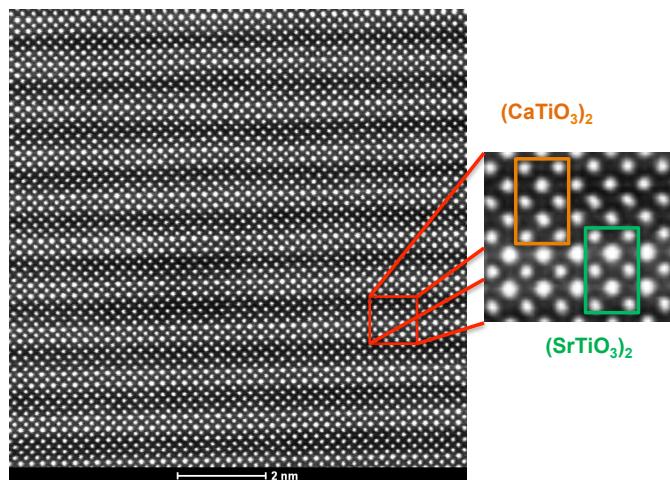
Nature Materials 13, 168 (2013)



$(a = 3.905 \text{ \AA})$
 $\rho = 5.1 \text{ g/cc}$
 $v_m = 5.41 \text{ km/s}$



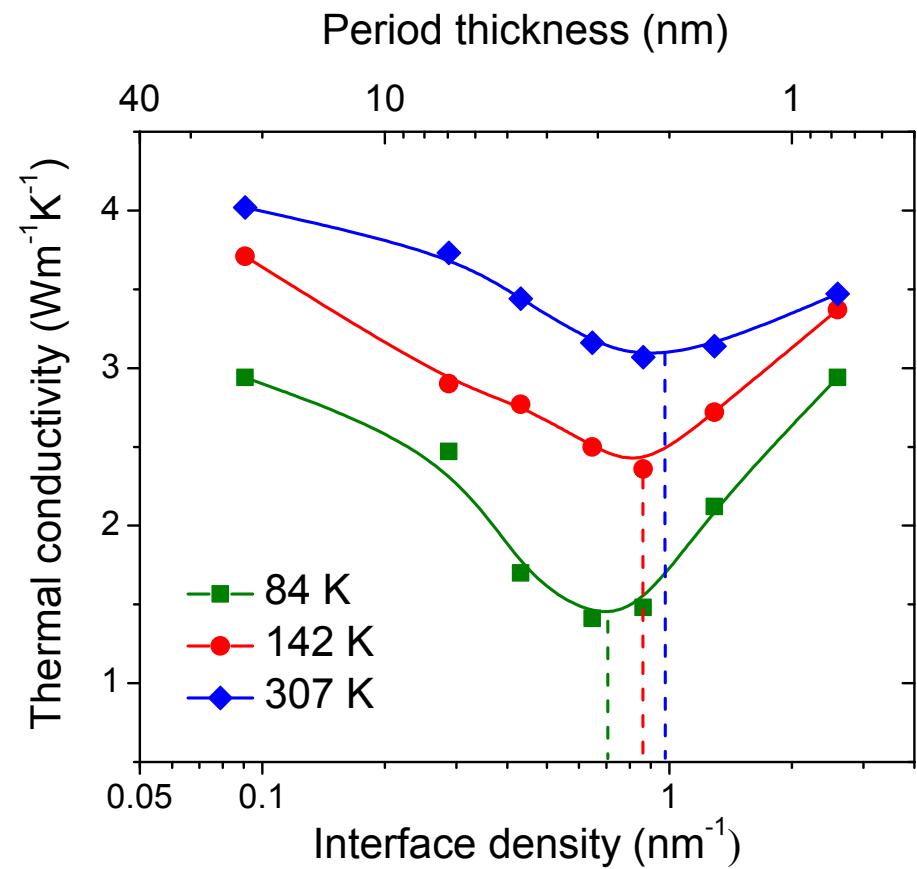
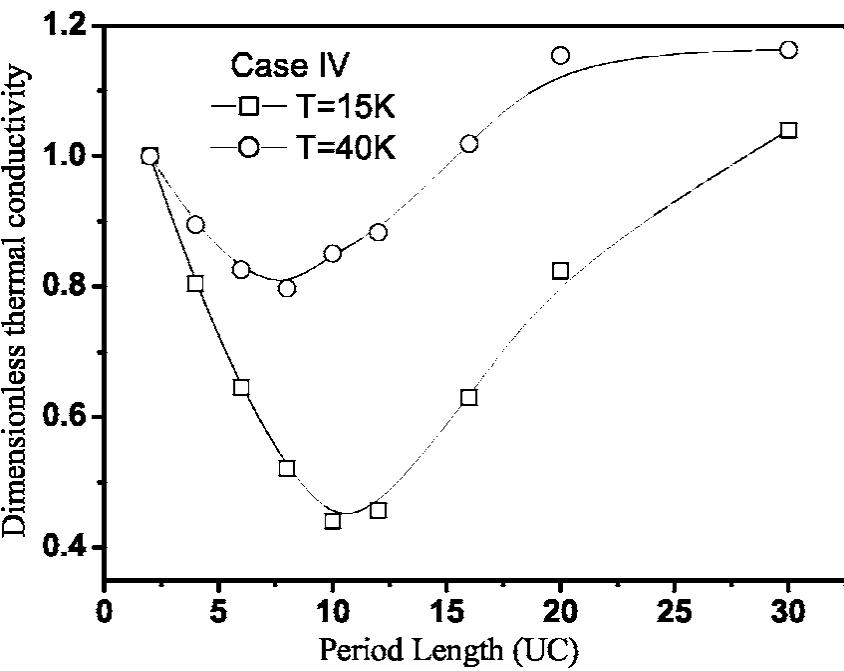
$(a_{pc} = 3.81 \text{ \AA})$
 $\rho = 3.75 \text{ g/cc}$
 $v_m = 5.71 \text{ km/s}$



Growth PLD:
J. Ravichandran
A. Yadav
R. Ramesh
A. Majumdar

Experimental evidence of minimum thermal conductivity

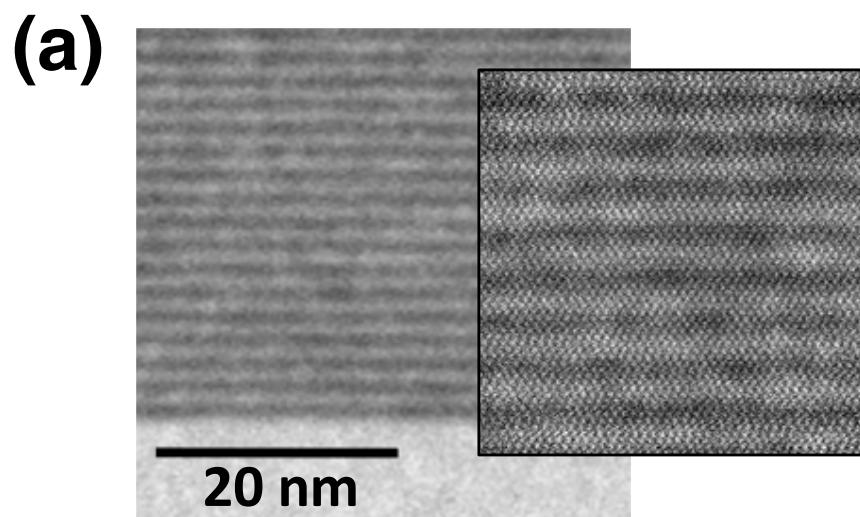
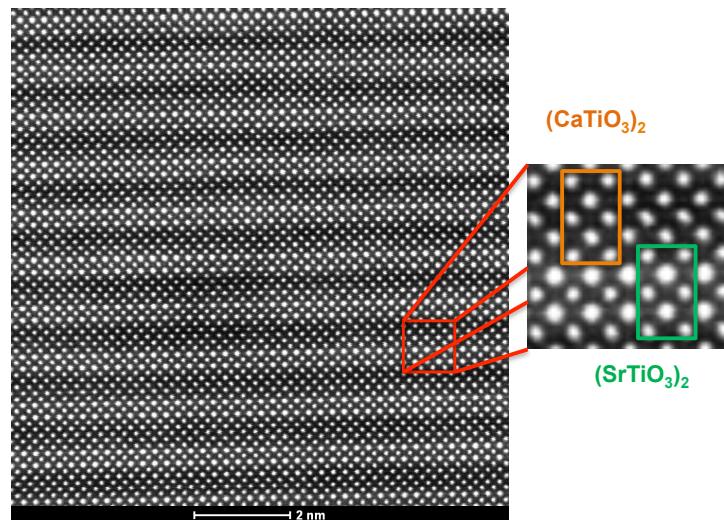
- More pronounced minimum at low T, thermal conductivity measurements show trends of mini-band formation
- MD simulation (left), mini-band = phonon bandgap (PRB **72**, 174302)



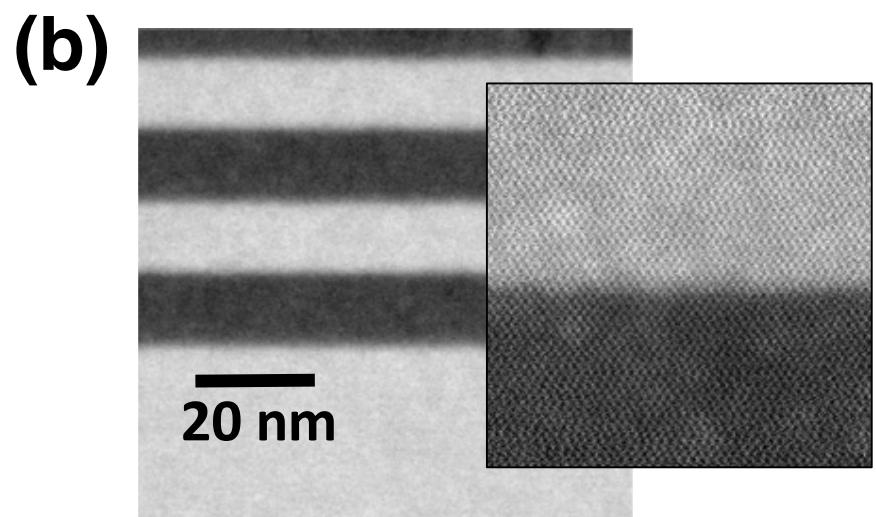
SL design to manipulate coherent phonon transport

Nature Materials **13**, 168 (2013)

Resolving unique phonon transport in SLs: interfaces matter



$$d_{\text{SL}} = 2 \text{ nm}$$



$$d_{\text{SL}} = 24 \text{ nm}$$

Outline

Static control of phonon transport

Defects/interfaces to permanently change κ

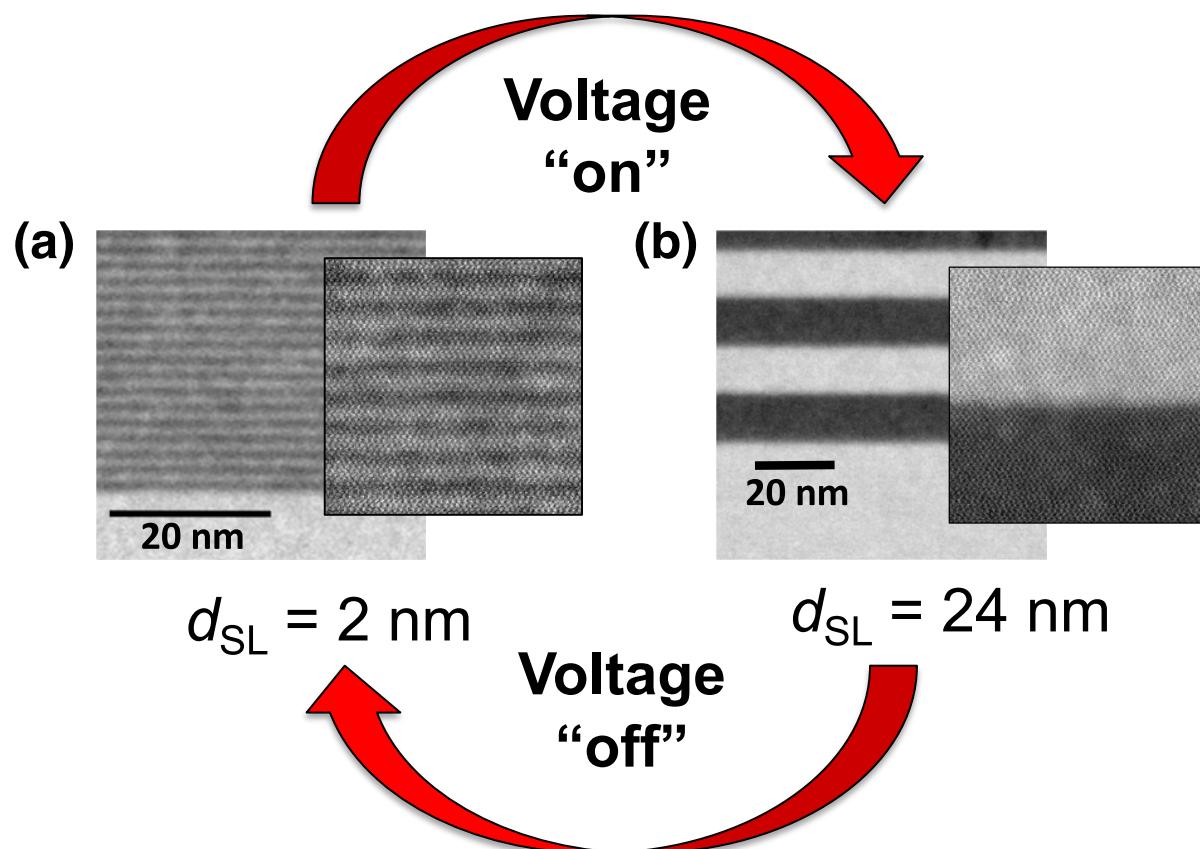
Dynamic control of phonon transport

Thermal conductivity switch – can we *reversibly* change κ with an external stimulus?

Can we use an external stimulus to change mean free path?

Thought experiment: can we dynamically and reversibly change the density of defects/interfaces?

$$\kappa = \frac{1}{3} Cv\lambda = \frac{1}{3} Cv_g^2 \tau$$

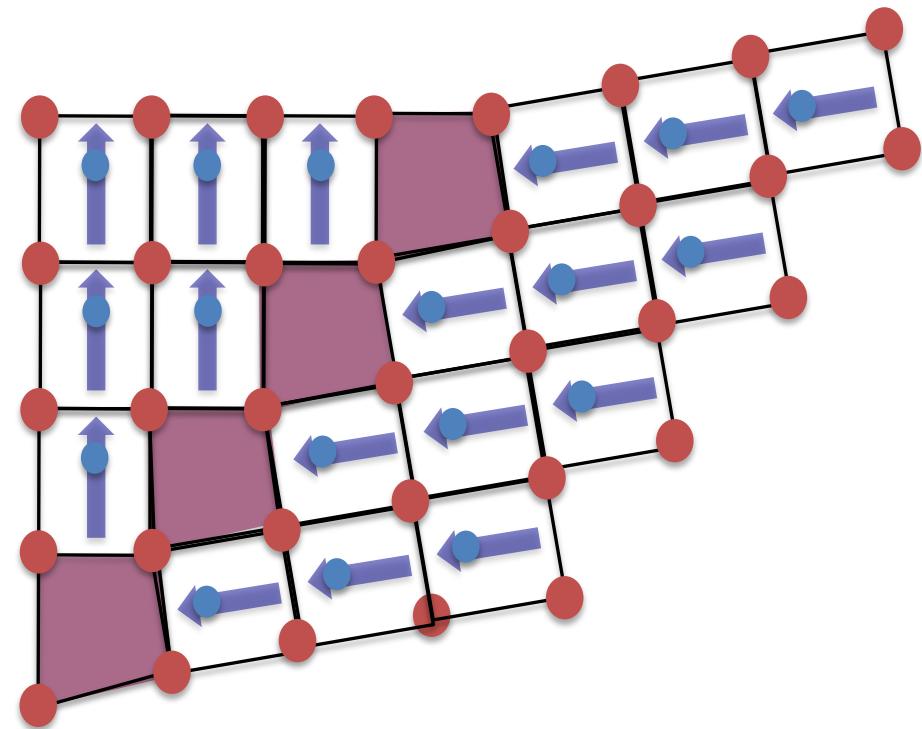


Ok...can't really do this with these SLs....but, lets consider materials where this voltage control of defects can happen

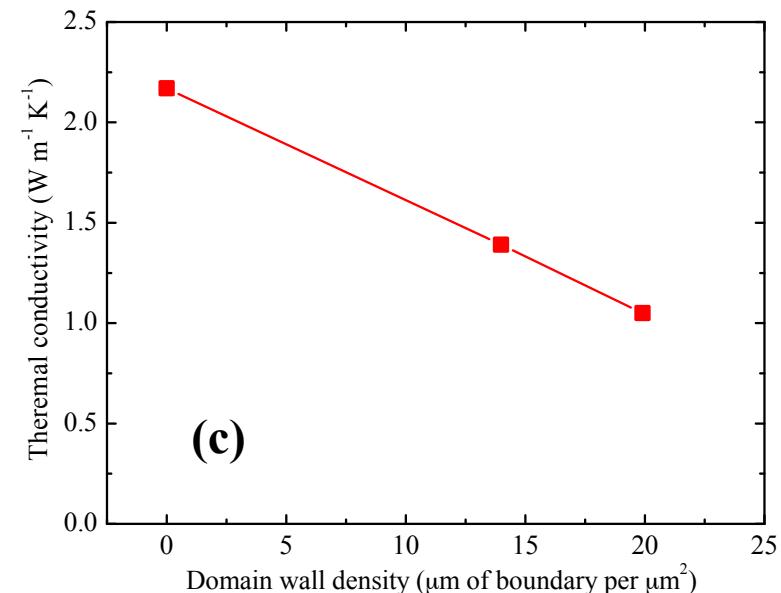
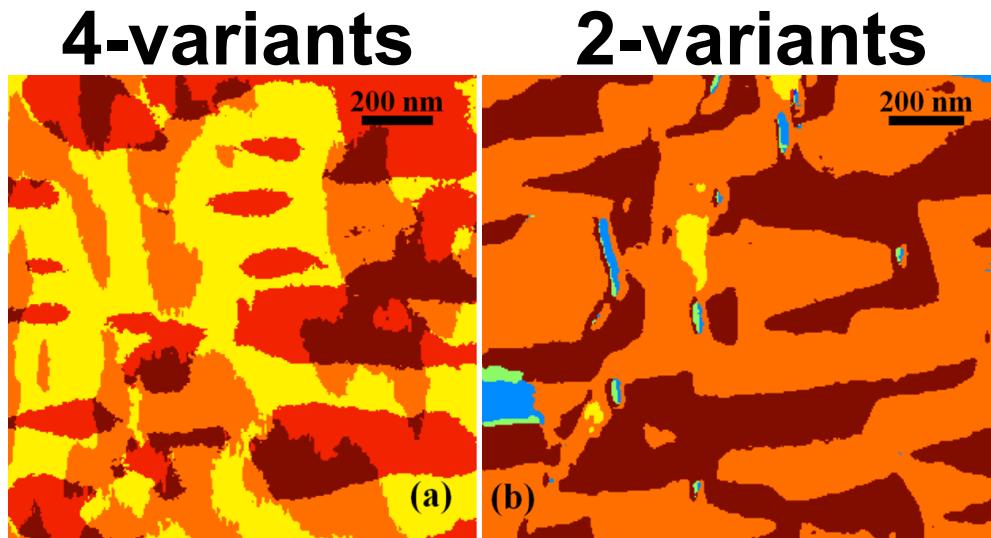
FERROELECTRICS

Mobile coherent interfaces: ferroelastic domain boundaries

- Strain and orientation changes across coherent interfaces are known to affect thermal conduction
- These two features both exist at ferroelastic domain walls
- We would therefore anticipate that ***domain boundaries can scatter phonons***

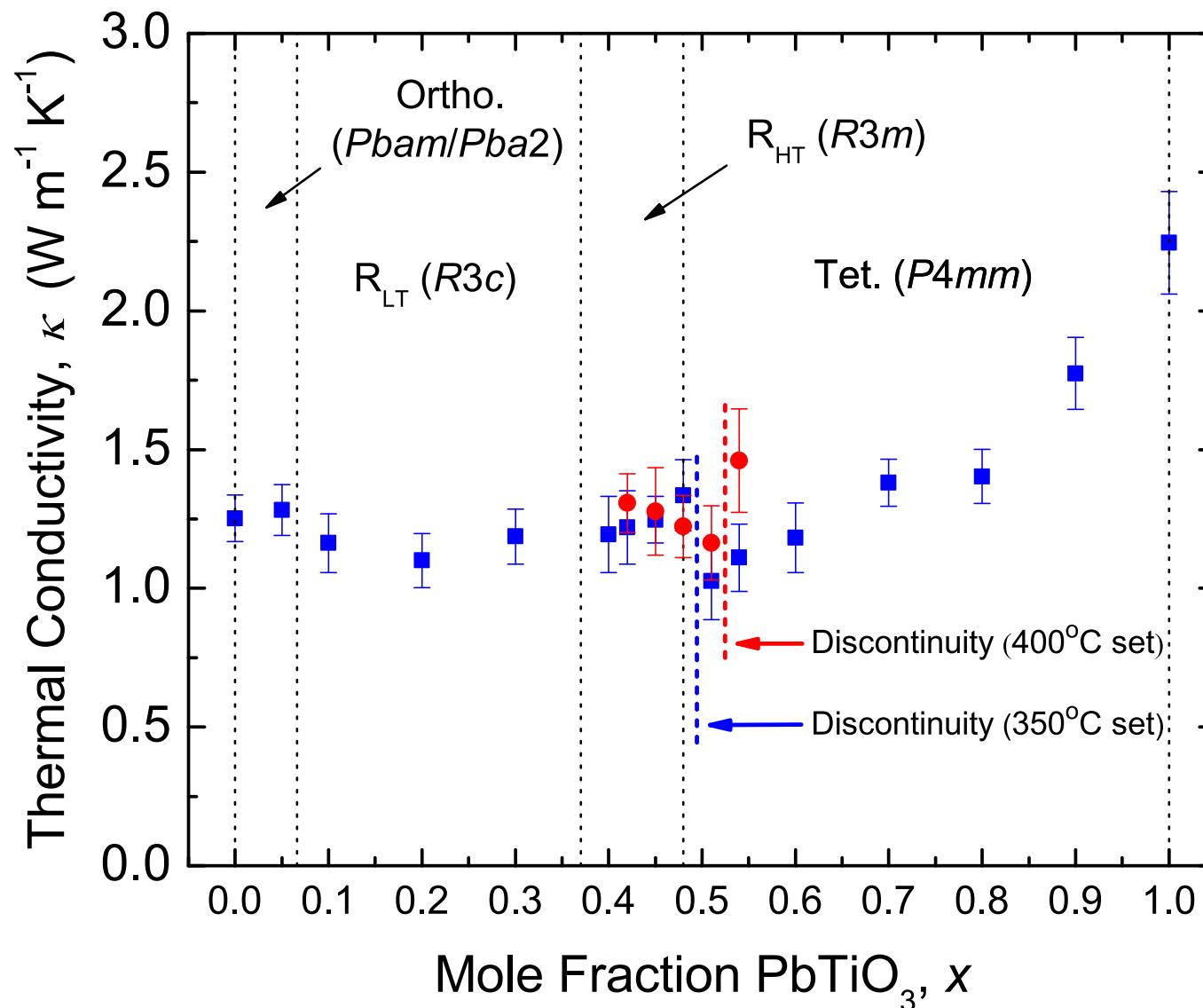


Coherent interfaces: ferroelastic domain boundaries



- Ferroelastic domain walls scatter phonons and influence thermal conductivity in thin films and at room temperature
- With proper experimental design, domain boundaries can move based on electric fields

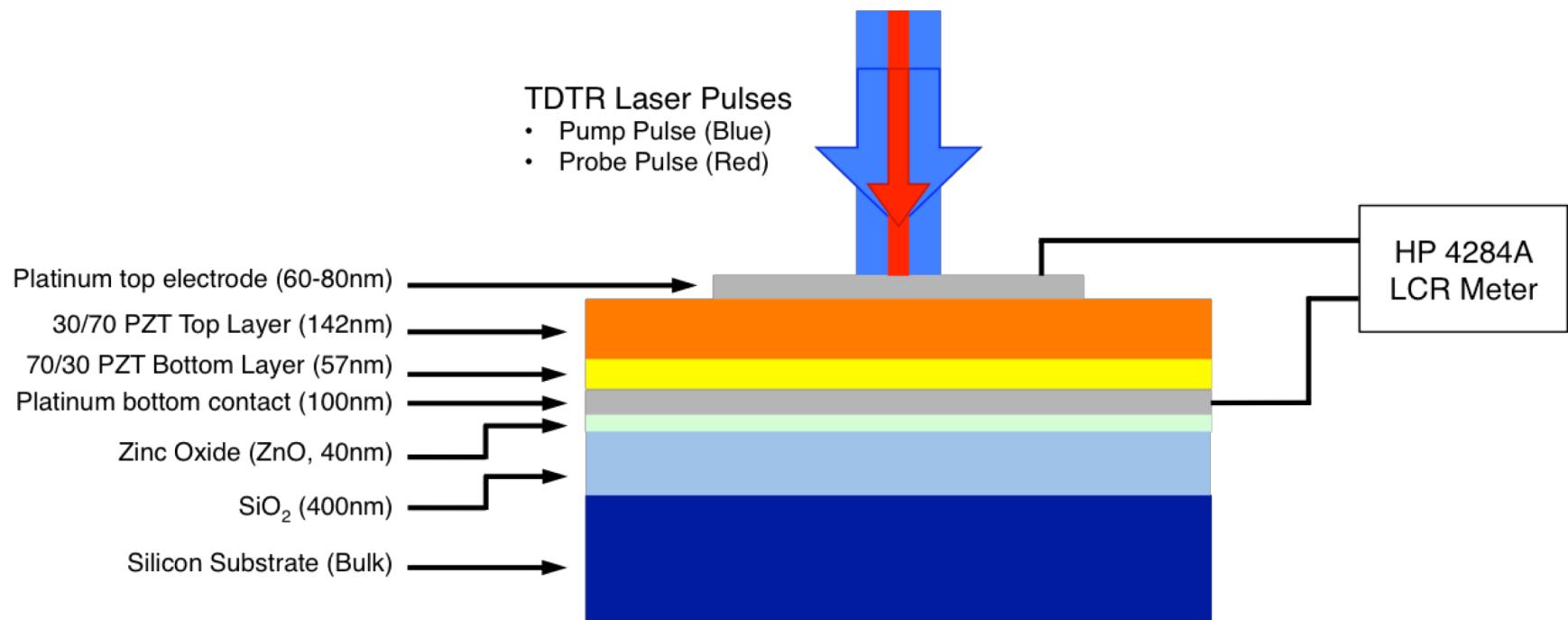
More evidence of ferroelectric domain boundaries in PZT



Electrically switching thermal conductivity of PZT

Lead Zirconate Titanate, PZT = $\text{PbZr}_x\text{Ti}_{1-x}\text{O}_3$

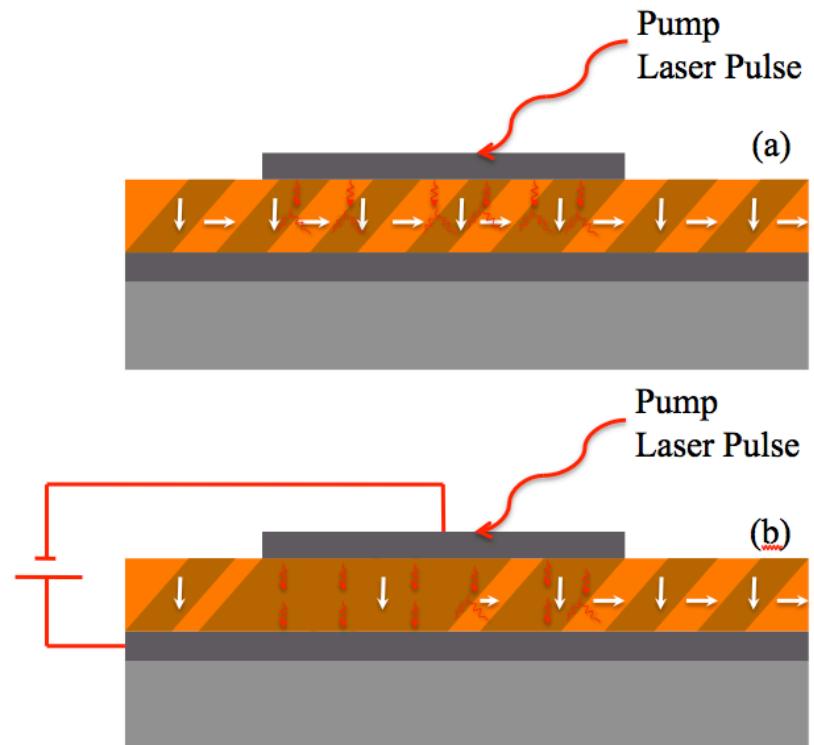
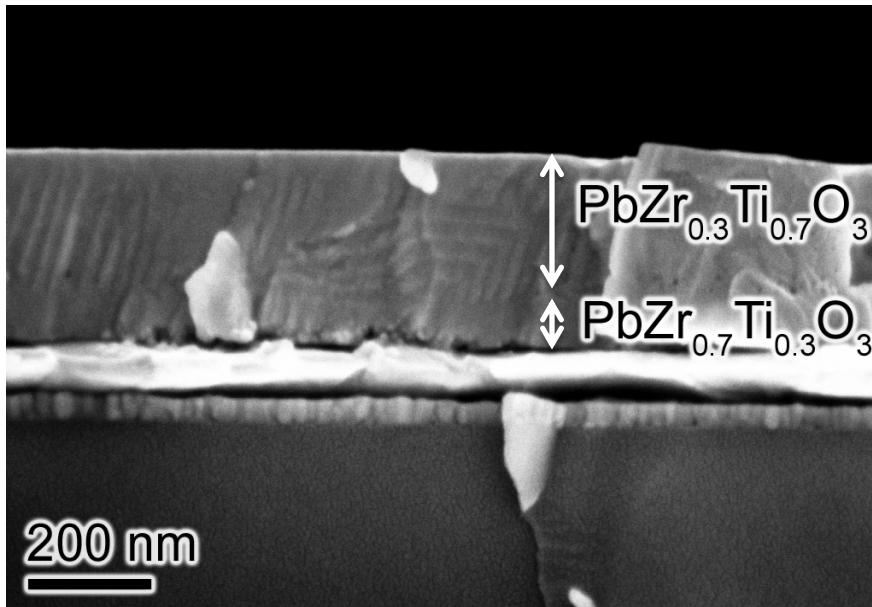
- PZT bilayer can have highly mobile ferroelastic domain walls
- Prepared bilayer films via CSD on Pt/ZnO/SiO₂/Si (J. Ihlefeld, UVA)



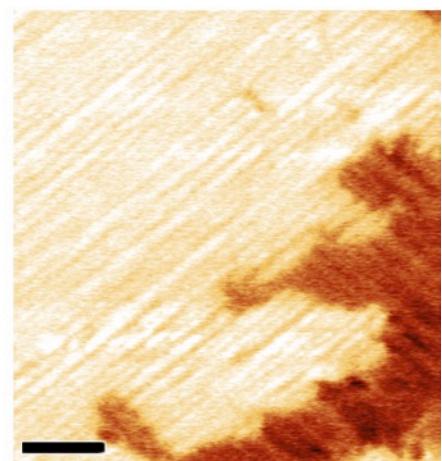
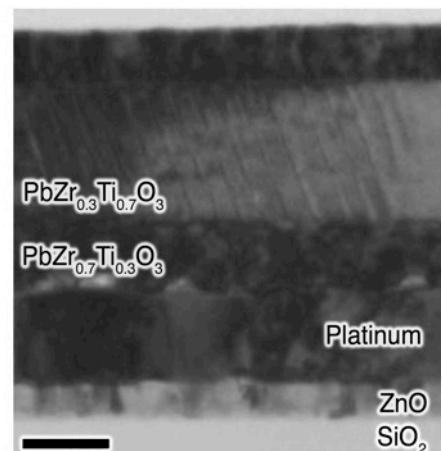
Electrically switching thermal conductivity of PZT

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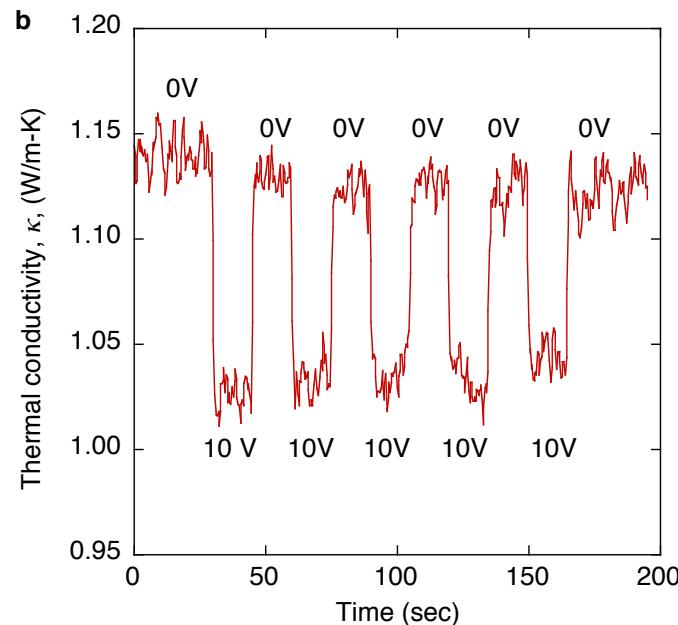
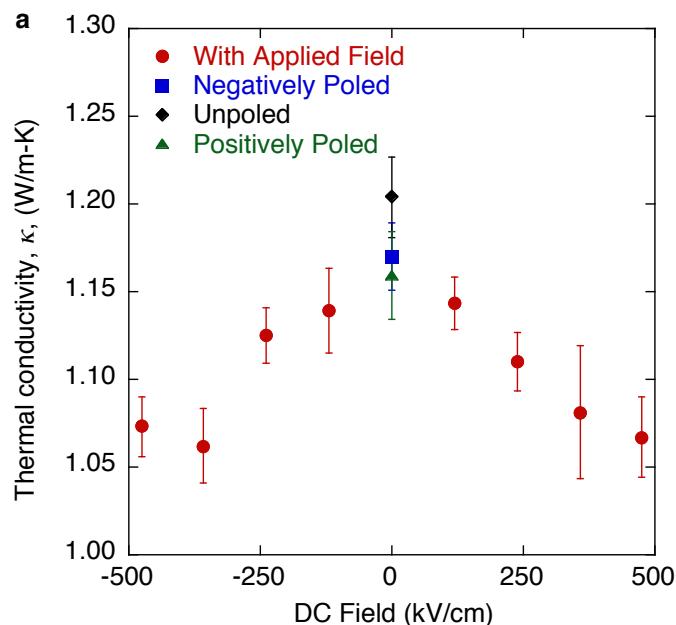
- PZT bilayer can have highly mobile ferroelastic domain walls
- Prepared bilayer films via CSD on Pt/ZnO/SiO₂/Si (J. Ihlefeld, SNL)



Electrically switching thermal conductivity of PZT



Domain structure becomes **more** complex under applied fields (*PRB* **81**, 174118 (2010))



NANO
LETTERS

DOI: 10.1021/nl504505t
Nano Lett. 2015, 15, 1791–1795

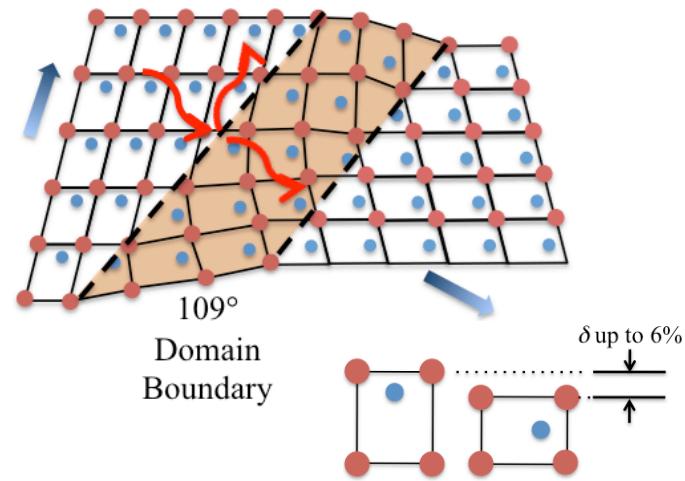
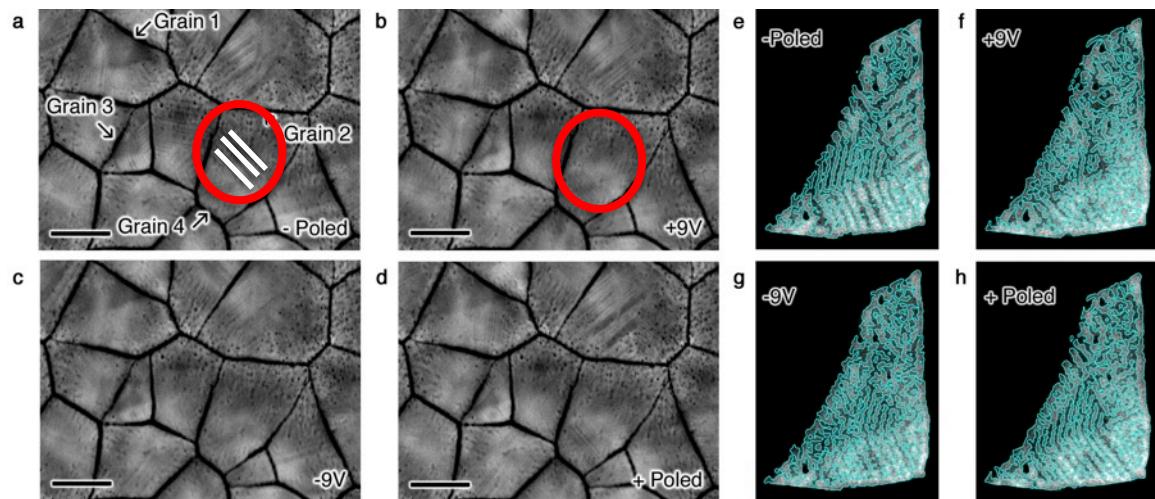
Letter

pubs.acs.org/NanoLett

Room-Temperature Voltage Tunable Phonon Thermal Conductivity via Reconfigurable Interfaces in Ferroelectric Thin Films

Jon F. Ihlefeld,^{*,†} Brian M. Foley,[‡] David A. Scrymgeour,[†] Joseph R. Michael,[†] Bonnie B. McKenzie,[†] Douglas L. Medlin,[§] Margeaux Wallace,^{||} Susan Trolier-McKinstry,^{||} and Patrick E. Hopkins^{*,‡}

Electrically switching thermal conductivity of PZT



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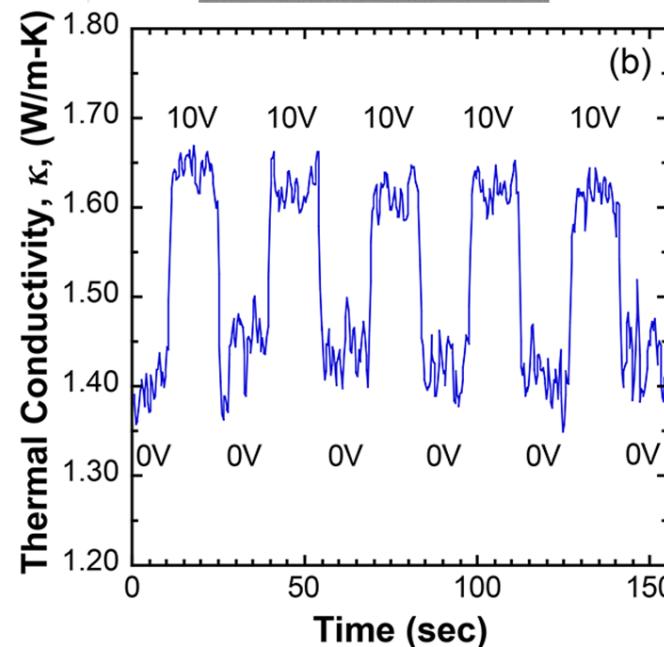
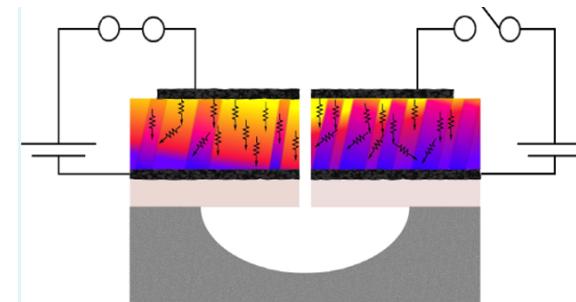
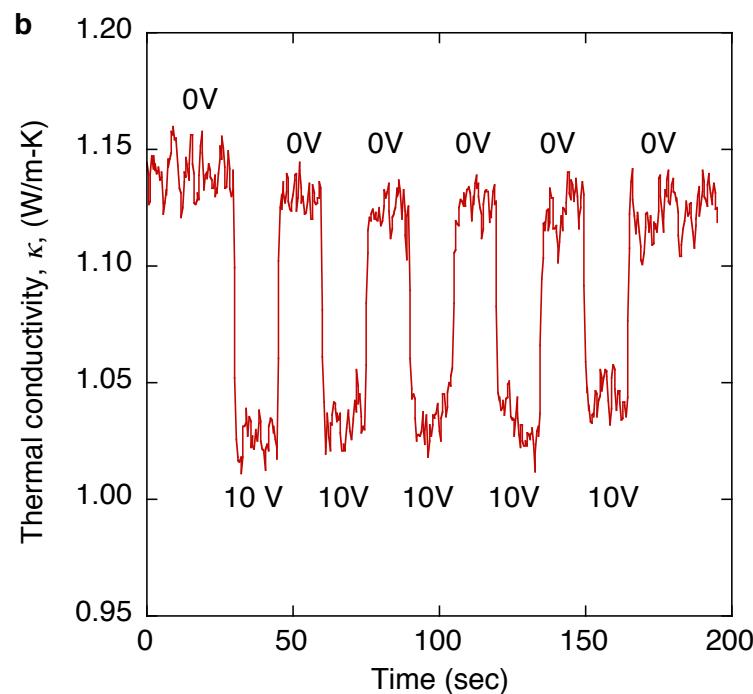
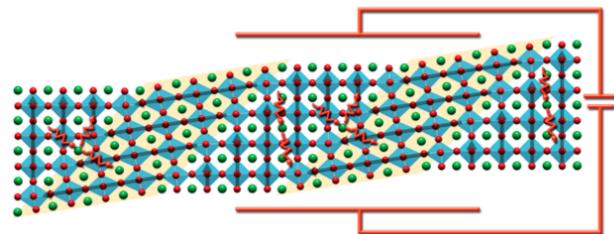
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Controlling thermal conductivity - Dynamic

The thermal conductivity switch

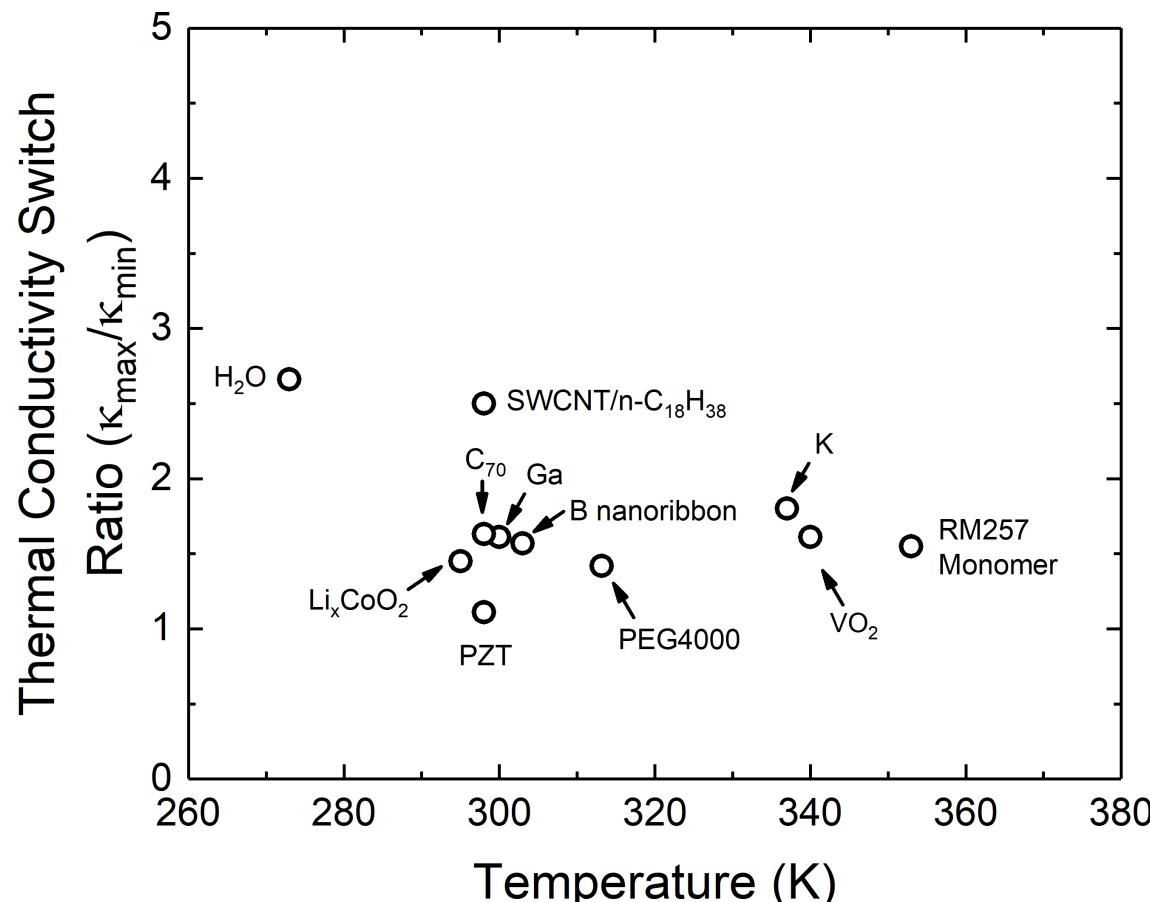
Field controlled ferroelastic domain mobility in PZT



Controlling thermal conductivity - Dynamic

The thermal conductivity switch

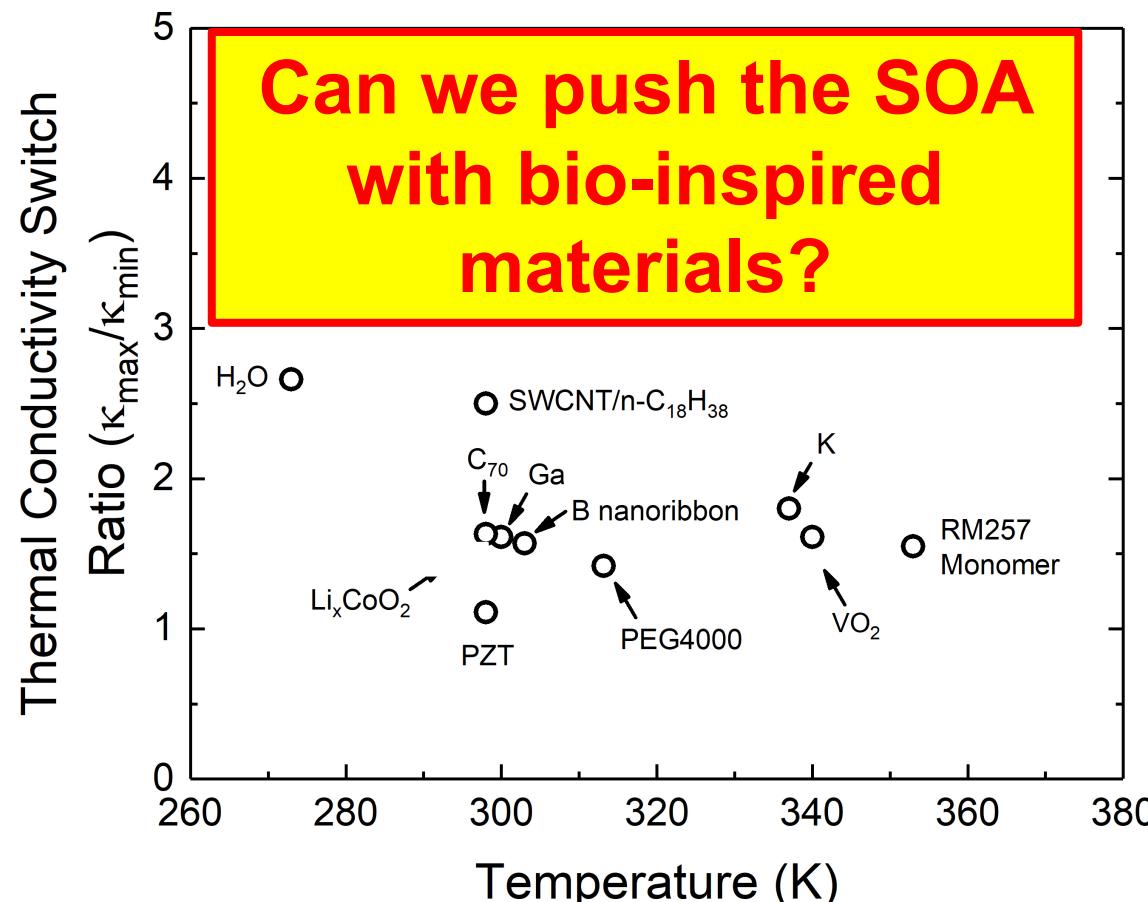
State of the art around biologically relevant temperatures



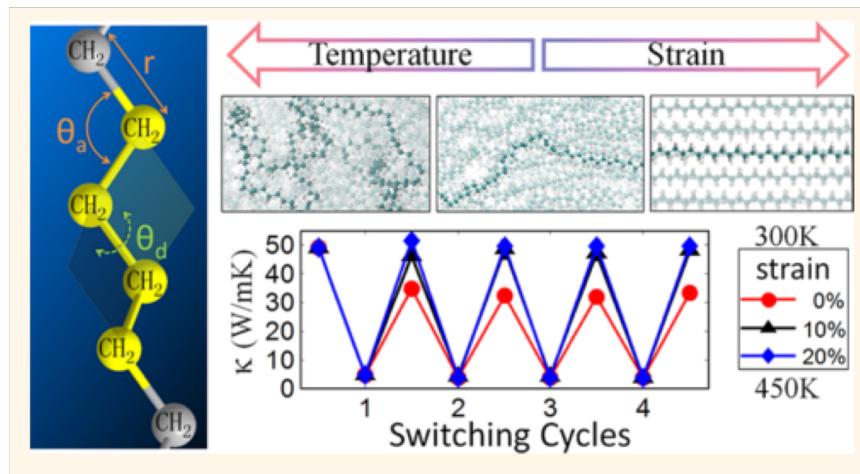
Controlling thermal conductivity - Dynamic

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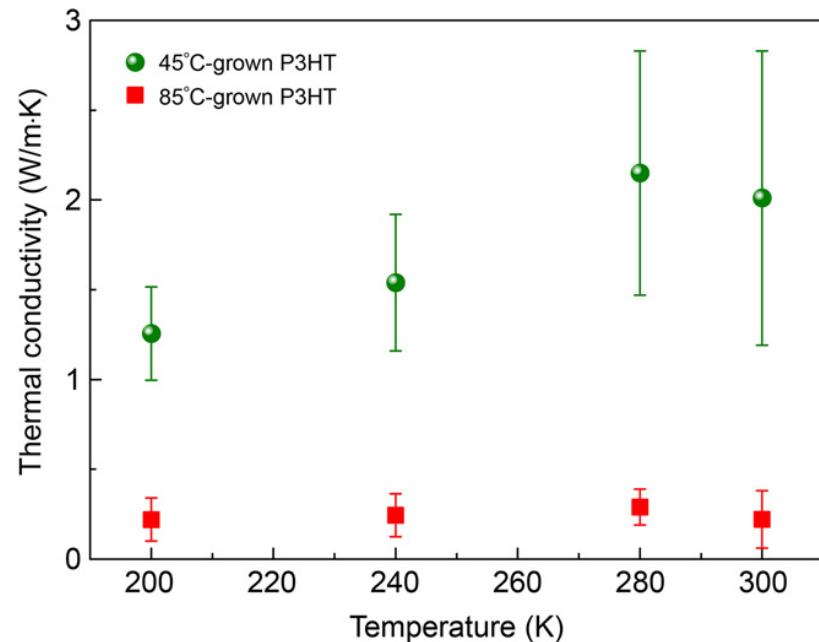
Heat transfer and thermal conductivity in polymers



ACS Nano 7, 7592

Increased inter- and intramolecular bonding has been shown to **create polymers with $\sim 10x$ higher κ than conventional polymers**

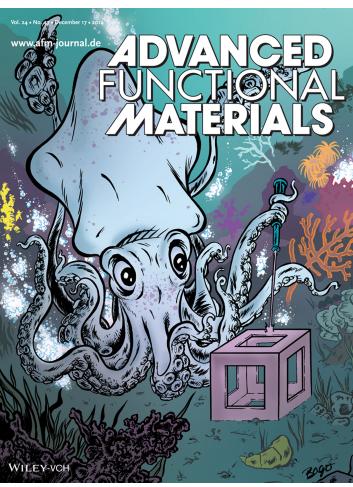
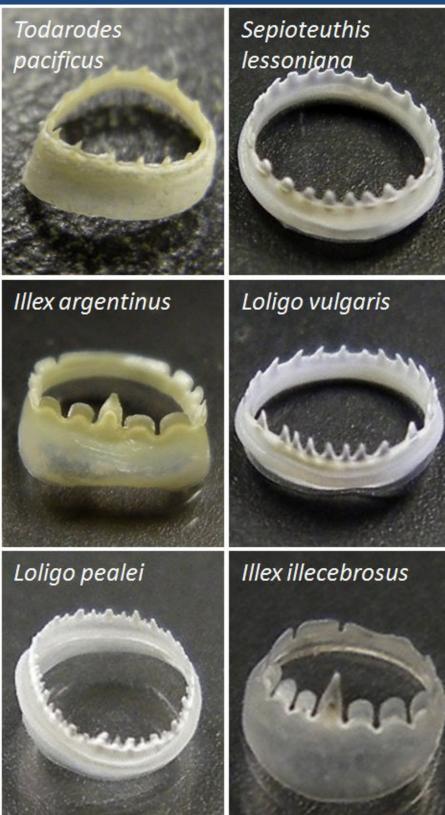
Polyethylene predicted to vary thermal conductivity by a **factor of 12**



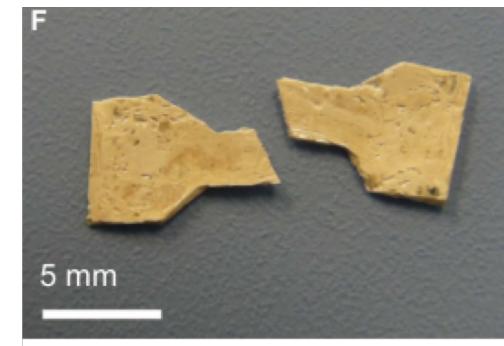
Science Advances 4, eaar3031

Strain, chain alignment and crystallinity lead to large changes in polymer thermal conductivity (static)

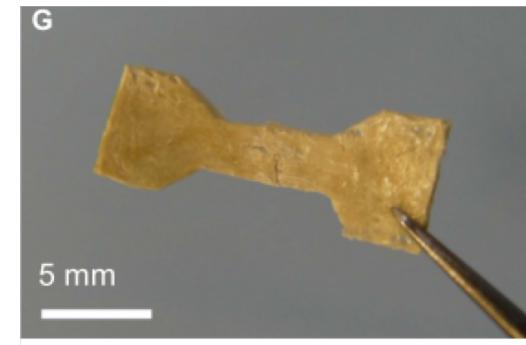
Squid ring teeth proteins – Prof. Melik Demirel (Penn State)



Adv. Func. Mat.
24, 7393
(M. Demirel)

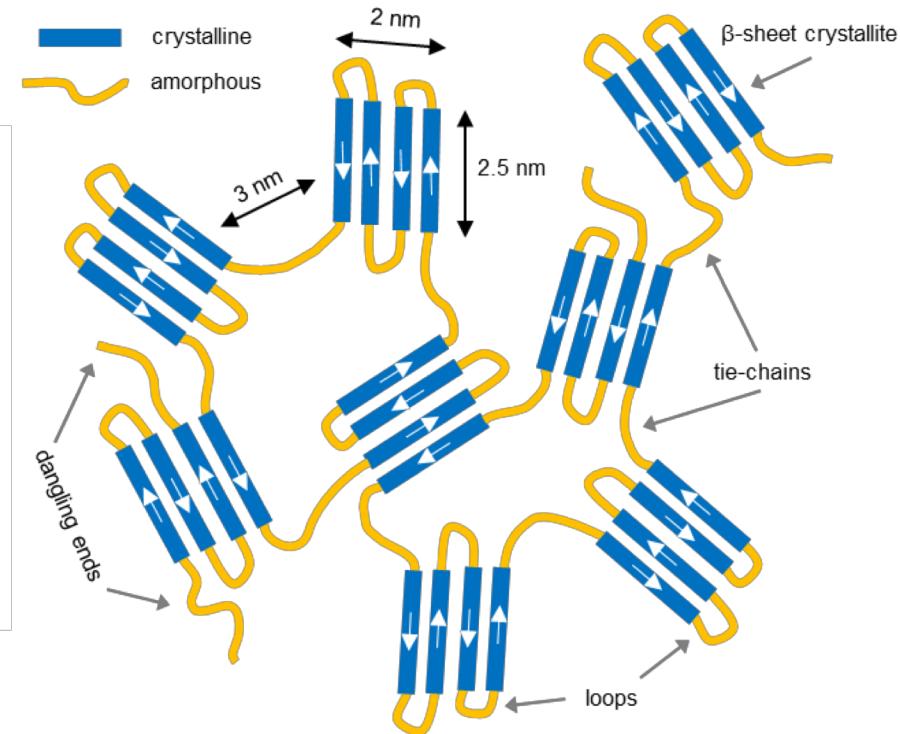
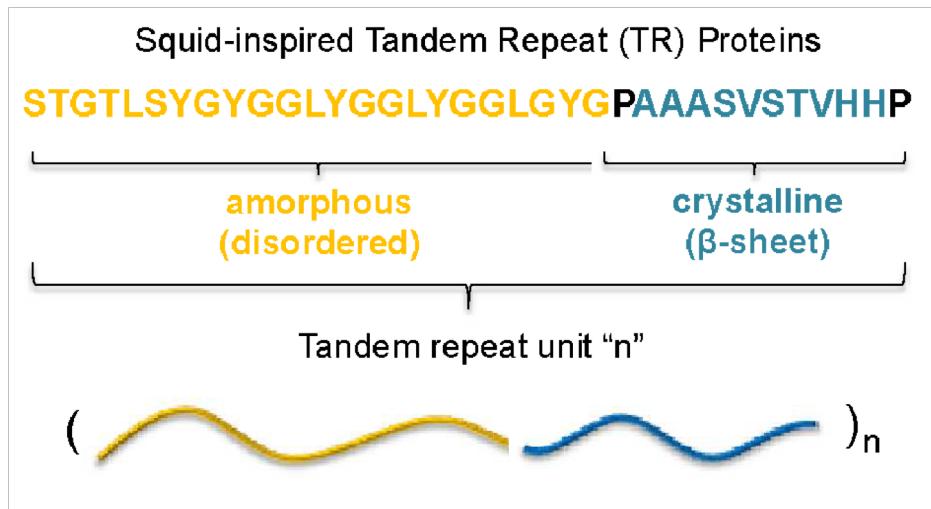


Add water!



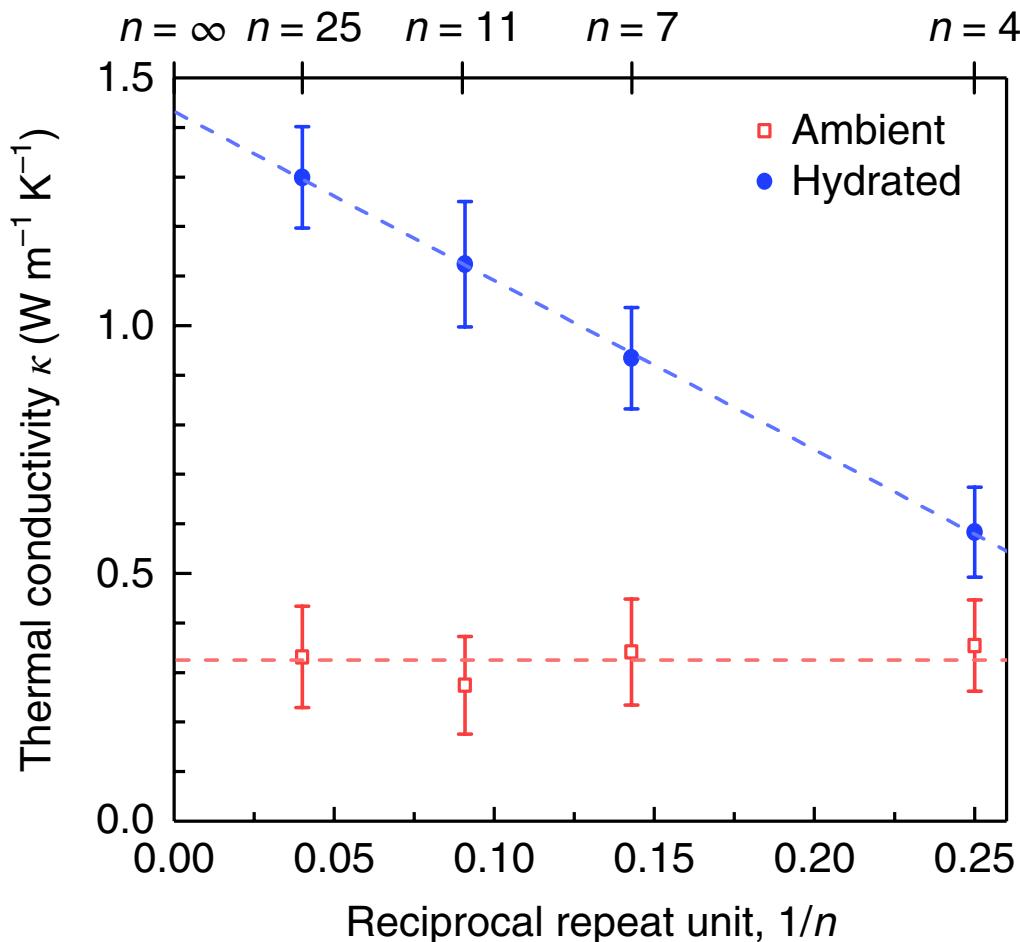
Self healing when hydrated
(with a little bit of heat)

Squid ring teeth proteins – Prof. Melik Demirel (Penn State)



- Can we tune the thermal conductivity by changing the molecular structure? (static)
- Can we dynamically control the thermal conductivity with hydration? (dynamic thermal conductivity switch)

Results – Programmable thermal conductivity



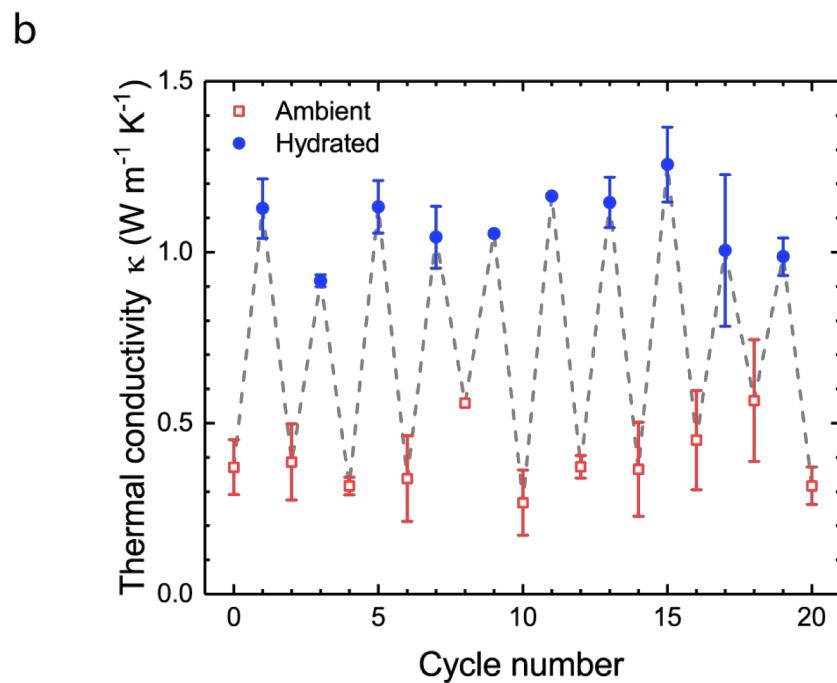
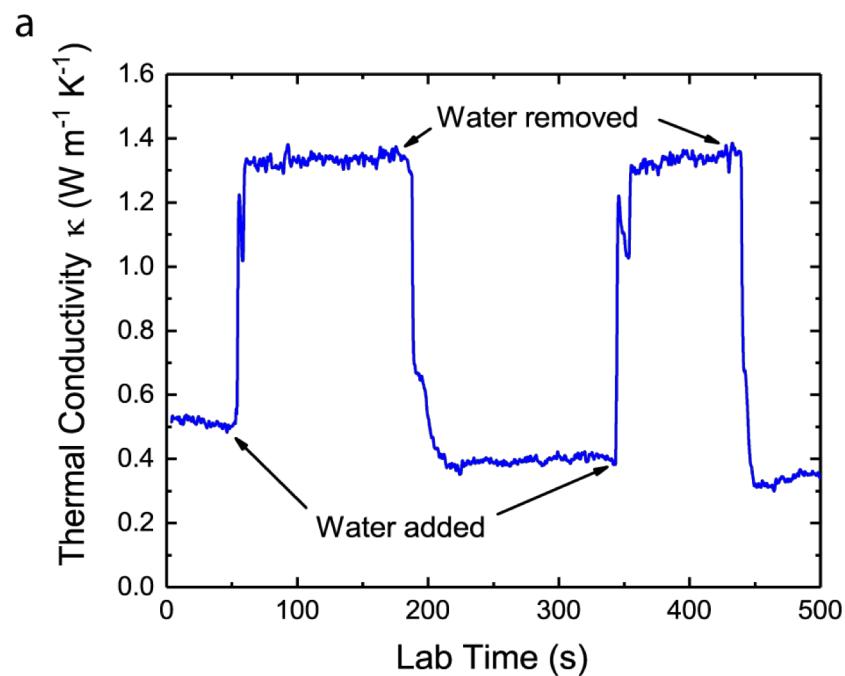
κ ambient

- No dependence on n
- Typical κ for polymer/protein
- Disorder dominates

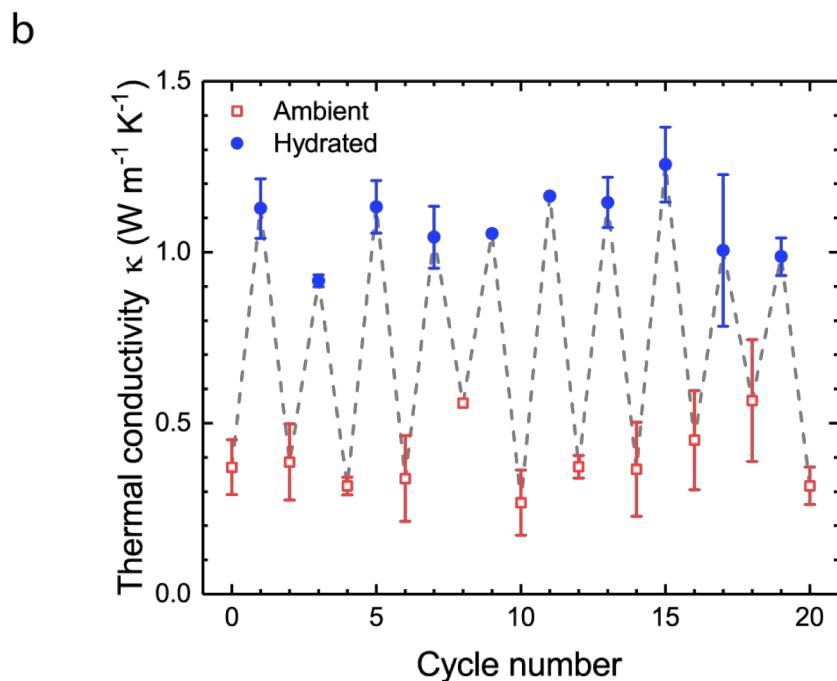
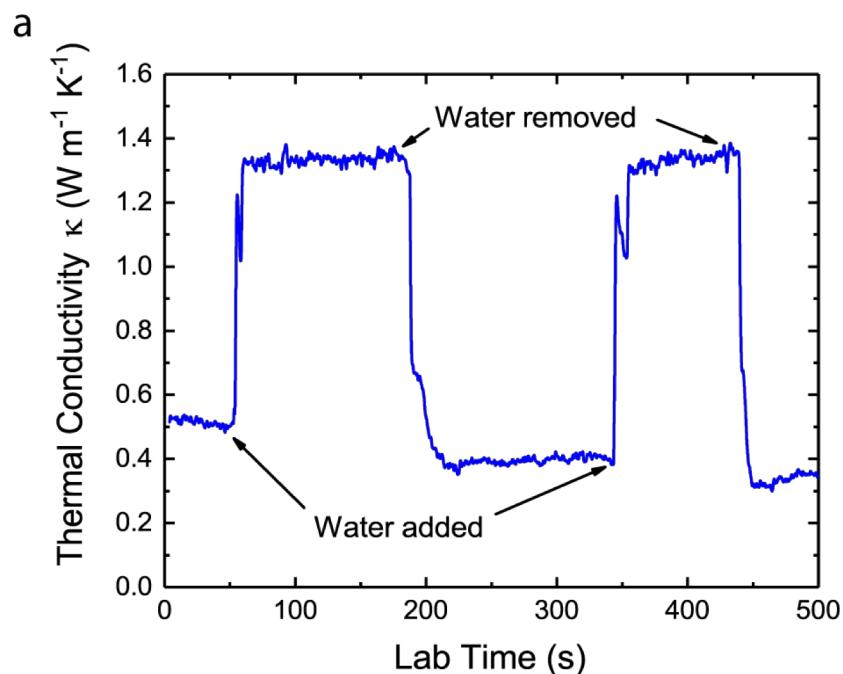
κ hydrated

- Linear dependent on $1/n$
- Up to 4X increase in κ compared to ambient

Results – Switchable thermal conductivity

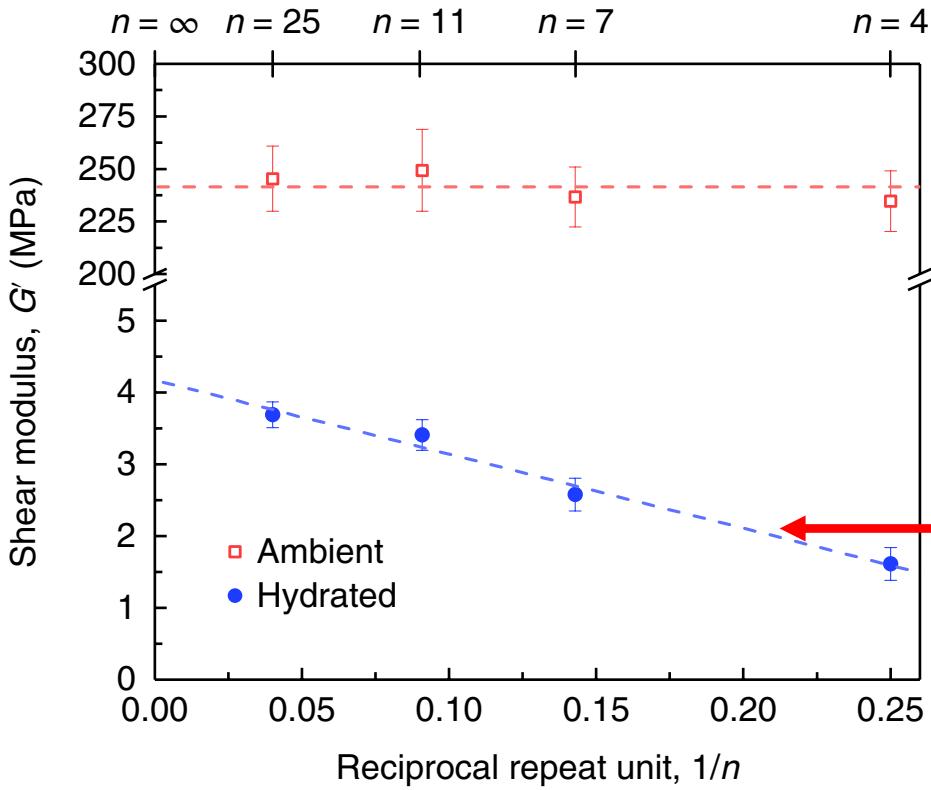


Results – Switchable thermal conductivity



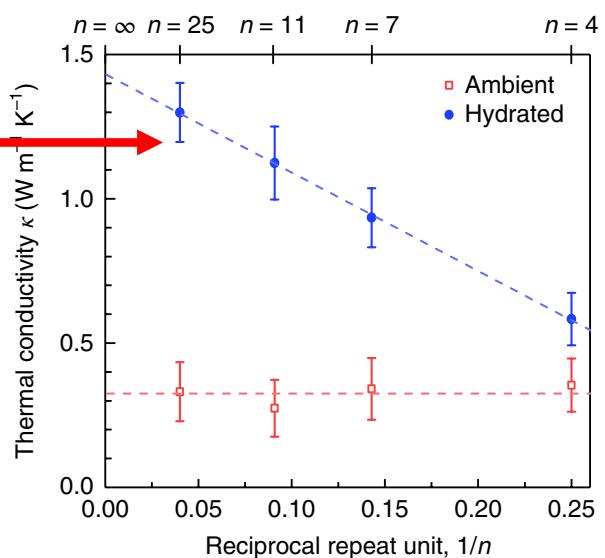
But why???

Results – Rheology

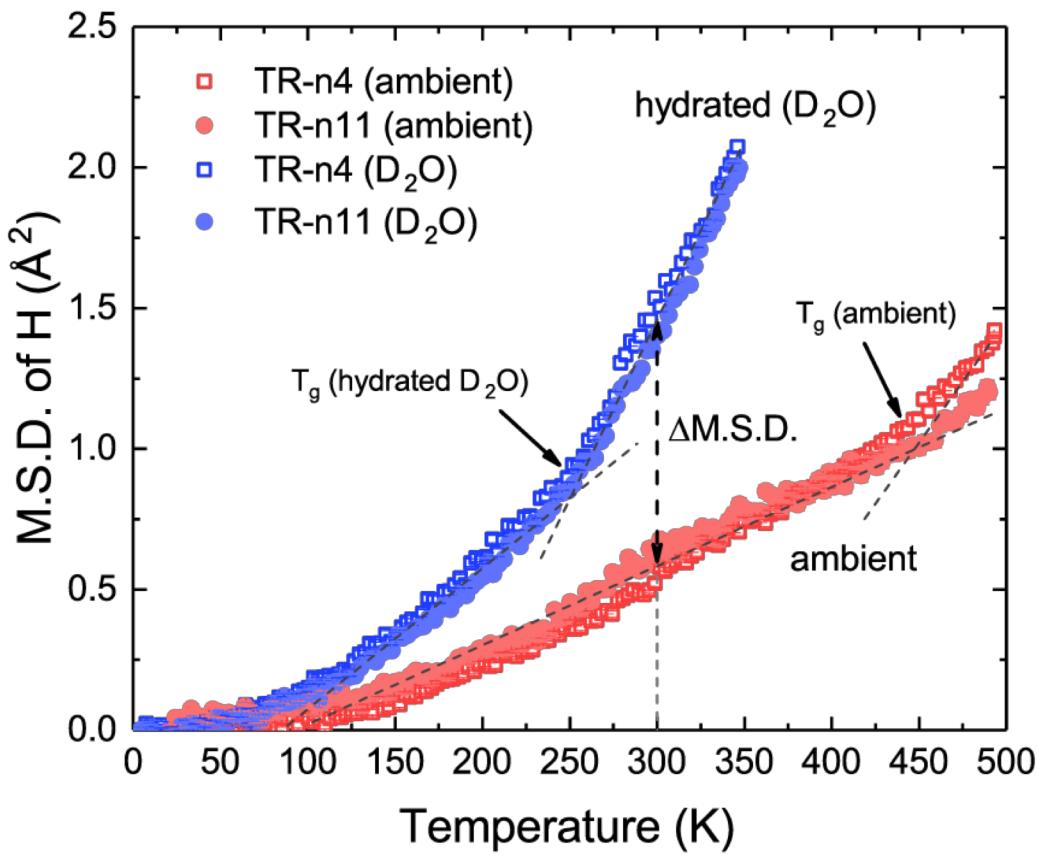


$\kappa \sim G'$

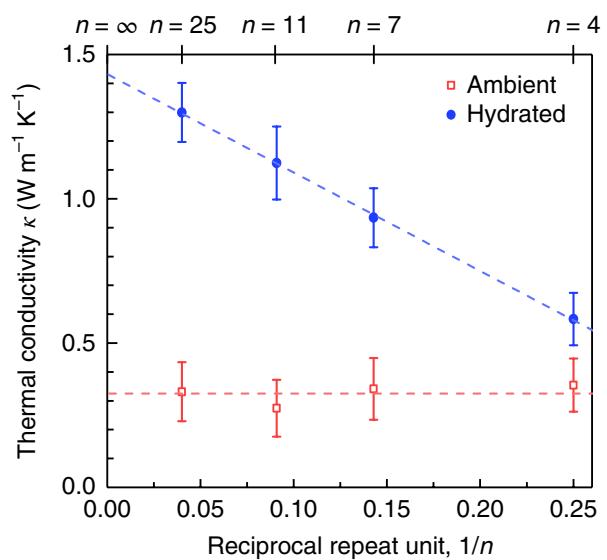
- Diamond = Strong bonds = high κ
- Polymers = weak bonds = low κ
- κ trends with $G'(1/n)$
- **Why does κ increase with hydration?**



Results – Neutron scattering (NIST)



- $\kappa \sim \text{MSD}$
- QENS in ambient and hydrated environments
- Hydration increases mean square displacement of hydrogen atoms in network



Mechanisms of thermal conductivity switching

Thermal conductivity of
crystalline/ordered solids

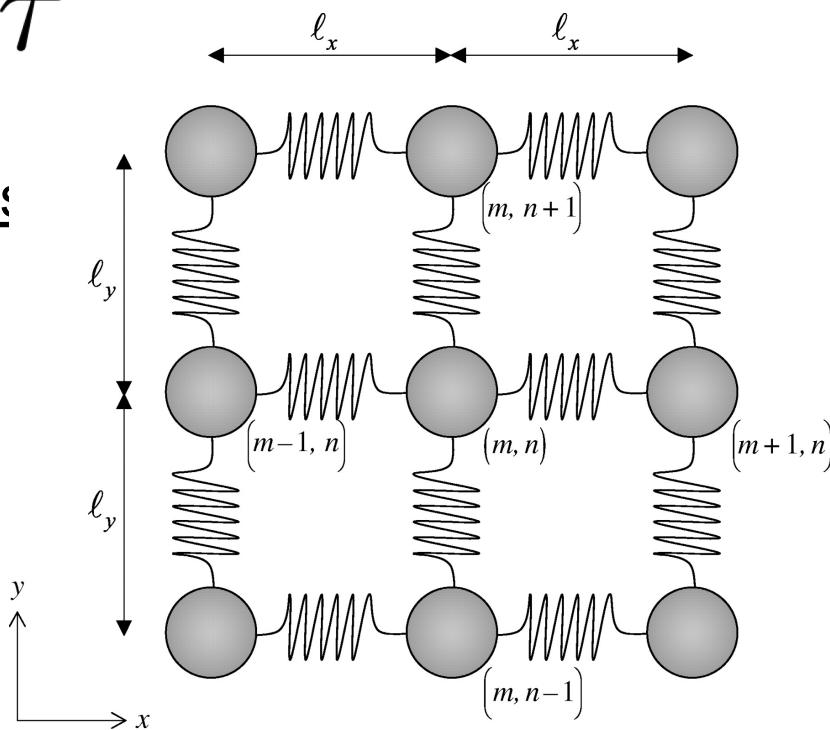
$$\kappa = \frac{1}{3} Cv \lambda = \frac{1}{3} Cv_g^2 \tau$$

Thermal conductivity of disordered solids

$$\kappa_{\text{Diffuson}} \propto \sum C_\omega D_\omega$$

D_ω = Mode Diffusivity

$$D_\omega \propto \text{MSD} \times G'^2$$



Mechanisms of thermal conductivity switching

Competing effects

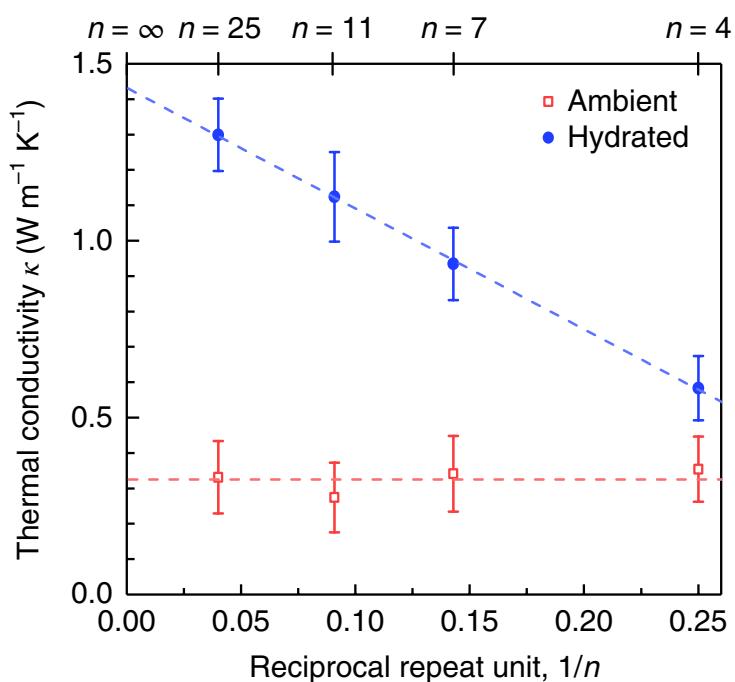
- Increase in κ due to increase in MSD
- Decrease in κ (trend in $1/n$) due to decrease in G'

Thermal conductivity of disordered solids

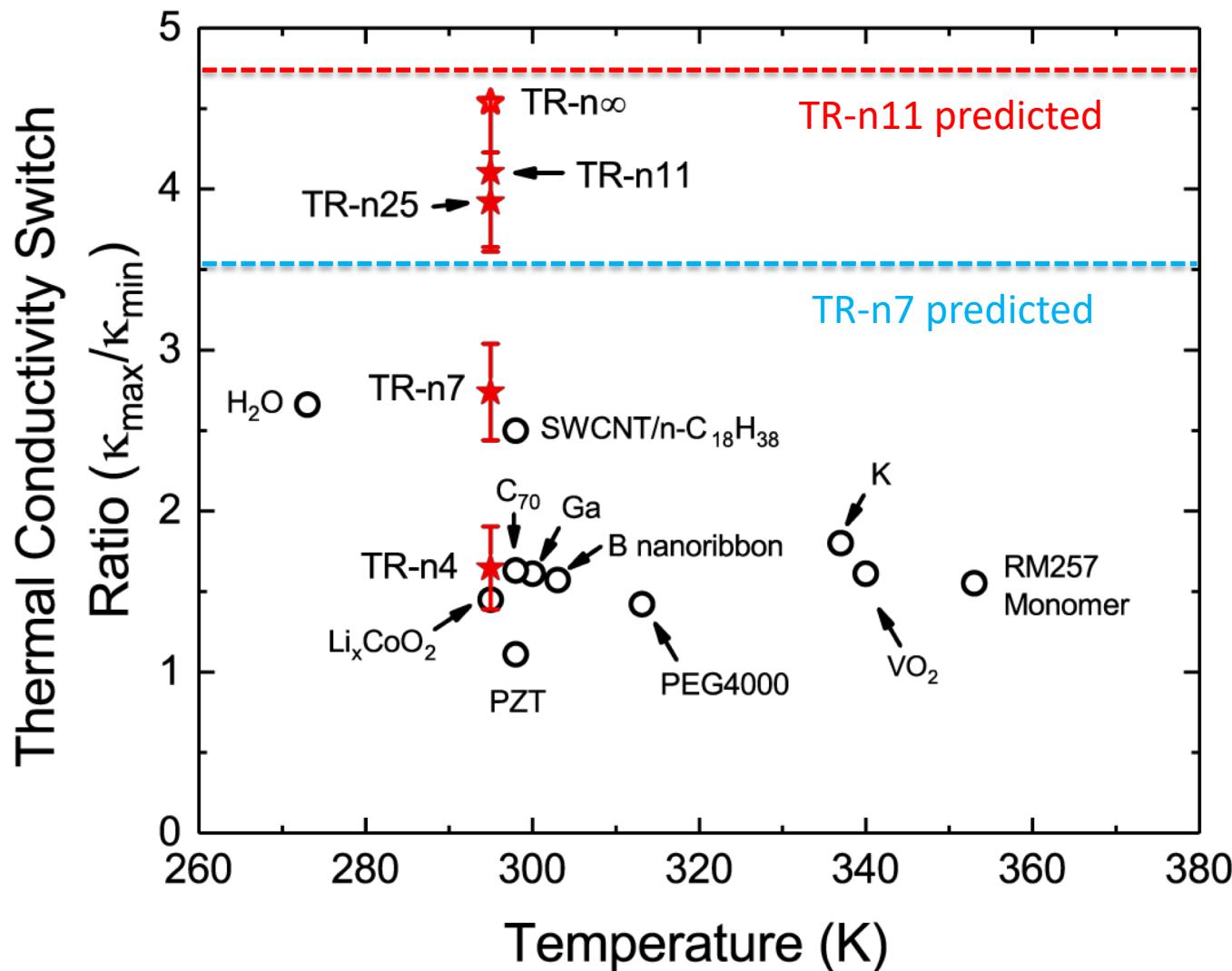
$$\kappa_{\text{Diffuson}} \propto \sum C_\omega D_\omega$$

D_ω = Mode Diffusivity

$$D_\omega \propto \text{MSD} \times G'^2$$



Redefining the SOA of κ switches with SRT



Summary

Engineering defects can be used to statically and dynamically control thermal conductivity

